Gross changes in forest area shape the future carbon balance of tropical forests

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Abstract. Bookkeeping models are used to estimate land-use change (LUC) carbon fluxes (ELUC). These models combine time series of areas subject to different LUC types with response curves of carbon pools in ecosystems and harvested products after a unit change of land use. The level of detail of bookkeeping models depends on the number of response curves used for different regions, the carbon pools they represent, and the diversity of LUC types considered. The uncertainty of bookkeeping models arises from data used to define response curves (usually local data) and their representativeness of large regions. Here, we compare biomass recovery curves derived from a recent synthesis of secondary forest plots data by Poorter et al. (2016) with the curves used in bookkeeping models from Houghton (1999) and Hansis et al. (2015) in Latin America. We find that both Houghton (1999) and Hansis et al. (2015) overestimate the long-term (100 years) biomass carbon density of secondary forest, by about 25%. We also show the importance of considering gross forest area change in addition to the net forest area change for estimating regional ELUC. To do so, simulations are constructed with a bookkeeping model calibrated with three different sets of response curves (linear, exponential and logarithmic) to study ELUC created by a pulse of net forest area change, with different gross-to-net forest area change ratios (γAgross/Anet). Following the initial pulse of forest area change, ELUC is subsequently calculated over 100 years. Considering a region subject to a net gain in forest area during one year, different values of gross forest area changes that sum up to this initial net gain can change the magnitude and even the sign of ELUC with a given time horizon after the initial forest area change. In other words, in the case of a net gain in forest area composed of a large gross loss and a large gross gain, the initial gross loss has an important legacy effect that the system can be a net source of CO₂ to the atmosphere. We show the existence of a critical value of γAgross/Anet above which ELUC switches from CO₂ sink to source with a given time horizon after the initial forest area change. This critical ratio derived from the structure of the bookkeeping model is compared against real-world high resolution Landsat TM observations of gross forest area change in the Amazon to distinguish areas where current forest land turnover will legate LUC carbon emissions or sinks in 20 years, 50 years and 100 years in the future.
1 Introduction

The global carbon flux from land-use change (ELUC) represents a net source of carbon to the atmosphere of 0.9 ± 0.5 Gt C yr\(^{-1}\) during the last decade (Ciais et al., 2013; Le Quéré et al., 2015). ELUC is usually estimated by bookkeeping models (Hansis et al., 2015; Houghton, 2003), dynamic global vegetation models (DGVMs) (Le Quéré et al., 2015; Sitch et al., 2015) or compact earth system models (Gasser et al., 2017). Most DGVMs (e.g. in the TRENDY project, Sitch et al., 2015) estimate emissions due only to net area changes between different land-use types in a grid cell. At the moment, efforts are being made to incorporate so-called gross land-use change (LUC) in these models, that is for DGVMs the sub-grid transitions that sum up to net changes. The bookkeeping model of Houghton (1999) includes emissions from both net area changes and gross LUC from shifting cultivation, previously at the scale of large regions (Houghton, 2003), and more recently for each country (Houghton and Nassikas, 2017). Gross LUC occurs in tropical regions with shifting cultivation (Hurtt et al., 2011) but also everywhere forests are cut and new plantations created at the same time. For example, consider a region with co-existing forest and crops where 20% of the land is converted from primary forest to crops while 20% sees crop abandonment to forest in the same period. The net change corresponds to a stable forest area, but the large carbon loss from primary forest is not compensated by the small carbon gain of the new plantations. In this example, the region will be a net source of CO\(_2\) during several years. Because of the non-symmetrical dynamics of CO\(_2\) fluxes between forest loss and gain, ELUC differs between net and gross area changes. Arneth et al. (2017) recently reviewed this issue using DGVMs and concluded that considering gross LUC significantly increased the simulated ELUC at global scale. Gross land-use area transition datasets including shifting cultivation practice (Hurtt et al., 2011) and reconstructions using empirical ratios between gross and net transitions (Fuchs et al., 2015) are now available and have been implemented in a bookkeeping model (Hansis et al., 2015) as well as in some land carbon models to improve the estimate of ELUC (Fuchs et al., 2016; Shevliakova et al., 2009; Stocker et al., 2014; Wilvenskjeld et al., 2014; Yue et al., 2017).

Bookkeeping models use response curves for biomass and soil carbon stocks consecutive to LUC disturbance and time-series of LUC areas to estimate ELUC (Hansis et al., 2015; Houghton, 1999). Response curves can be linear (Houghton, 1999, 2003), exponential (Hansis et al., 2015) or of other types. The carbon densities of different land-use types are derived from field measurements (Houghton et al., 1983). Even though carbon densities have a high spatial variability in the real world, the same response curve measured at one location is often applied in bookkeeping models over large regions. A recent study of the biomass resilience of secondary forests in the Neotropics provides new biomass recovery curves from 45 secondary forest sites (Poorter et al., 2016). These new data are valuable to revisit the response curves for the regrowth of secondary forest in the Amazon area, an important region with a large ELUC.

The purpose of this study is thus two-fold. First, we aim to compare the recent biomass regrowth curves from Poorter et al. (2016) with the ones used in two bookkeeping models (Hansis et al., 2015; Houghton, 1999) for their implications in ELUC. Second, we will demonstrate that because of the asymmetry between carbon loss from deforestation and carbon gains from...
regrowth, even when the net forest area change is positive, a large initial gross forest area change can still cause $E_{\text{LUC}}$ to be a source of CO$_2$ to the atmosphere on multi-decadal horizons.

Based on $E_{\text{LUC}}$ calculated using a bookkeeping approach and several idealized scenarios constructed to have different gross forest area changes but with the same net area change (Section 3.2), we show the existence of a critical ratio of gross-to-net forest area change above which cumulative $E_{\text{LUC}}$ remains a net source after initial LUC, because carbon losses from deforestation are not compensated by carbon gains from secondary forest growth (Section 3.3). The theoretical value of this ratio derived from the idealized scenarios is then compared with actual estimates of gross-to-net forest area change over the Amazon derived from high-resolution (30 m) Landsat satellite imagery over the period of 2000-2012 (Hansen et al., 2013), to identify sensitive regions where the current turnover of forest is too large, and may result in an emission source of CO$_2$ to the atmosphere over different time horizons in the future.

2 Methods

The land-use changes considered in this study are forest loss (tropical moist forest transformed to cropland) and forest gain (cropland abandonment to secondary tropical moist forest) in Latin America. We constructed a bookkeeping model to simulate the carbon balance of simultaneous forest loss and gain in the same region. This model is similar to those developed by Houghton (1999) and Hansis et al. (2015) for global applications. After forest area loss, carbon density changes are calculated for biomass, two soil organic carbon pools (rapid and slow) and two products pools with turnover times of 1 and 10 years respectively. After the establishment of a secondary forest, carbon density changes in biomass and soil pools are considered. Only one slow soil pool is used in the regrowth of secondary forest, similar to Houghton (1999) and Hansis et al. (2015). Both the linear response curves from Houghton (1999) and the exponential ones from Hansis et al. (2015) are used to simulate the dynamics of each carbon pool consecutive to initial LUC (Figure 1). For re-growing secondary forest, we also used two curves for biomass recovery based on a collection of field measurements by Poorter et al. (2016). The first one is a logarithmic equation describing aboveground biomass carbon as a function of stand age from Poorter et al. (2016), the parameters of which are derived using the average aboveground biomass recovery from multiple stands after 20 years. It should be noted that with a logarithmic curve, no asymptotic value is reached even after an infinite time, which is not realistic for estimating long-term budgets, as it would mean permanent carbon gains. To overcome this problem of the logarithmic curve, we define a fixed time horizon of 100 years after LUC at which biomass becomes constant. The second biomass carbon gain curve is an exponential curve obtained by fitting the data from Poorter et al. (2016) with a saturating exponential function like in Hansis et al. (2015). This equation avoids the infinite increase of biomass after LUC in the logarithmic curve. For both response curves, a ratio of 0.81 (Liu et al., 2015; Peacock et al., 2007; Saatchi et al., 2011) was used to convert aboveground biomass reported by Poorter et al. (2016) to total biomass.

To model the sensitivity of the carbon balance of a typical region in Latin America to different ratios of gross-to-net forest area change during initial pulse of forest area change followed by no-change in forest area, we construct five idealized scenarios...
These scenarios are: S0 with no net but gross area changes; S1 with a net forest area loss being the sum of small gross area changes; S2 with the same net forest area loss as S1, but being a sum of large gross area changes; and S3 and S4, similar to S1 and S2 but with a net forest area gain, instead of a net loss. An example of small vs. large gross area changes with the same net area change is illustrated in Figure 2.

In each scenario, LUC is applied as a pulse of forest area change at time \( t = 0 \), and we evaluate carbon changes over the following 100 years. The parameter \( \gamma_{\text{Agross}}^{\text{Anet}} \) is the ratio of gross forest change area \( (A_{\text{gross}}) \) to net forest change area \( (A_{\text{net}}) \) applied at \( t = 0 \).

\[
\gamma_{\text{Anet}}^{\text{Agross}} = \frac{A_{\text{gross}}}{A_{\text{net}}} \tag{1}
\]

where:

\[
A_{\text{gross}} = |A_{\text{loss}}| + A_{\text{gain}} \tag{2}
\]

\[
A_{\text{net}} = A_{\text{loss}} + A_{\text{gain}} \tag{3}
\]

By convention, \( A_{\text{loss}} (<0) \) and \( A_{\text{gain}} (>0) \) are the gross forest loss and gain areas applied at \( t = 0 \). A positive value of \( A_{\text{net}} \) is an increase in forest area. For instance, the illustrative scenario S3 described in Table 1 explores the effects of a large positive value of \( \gamma_{\text{Anet}}^{\text{Agross}} \) on \( E_{\text{LUC}} \). \( E_{\text{LUC}} \) is then simulated for contrasting \( A_{\text{gross}} \) and \( A_{\text{net}} \) transitions with the bookkeeping model as the sum of changes in all carbon pools over the area that was disturbed at \( t = 0 \). \( \Sigma E_{\text{LUC,net}} \) is the cumulative LUC carbon flux up to a time horizon \( t \), calculated using only net area changes \( (A_{\text{net}}) \) and ignoring gross area changes. \( \Sigma E_{\text{LUC,gross}} \) is the cumulative carbon flux using gross forest area change, which has two component fluxes: the cumulative emissions \((\Sigma E_{\text{LUC,loss}})\) from gross forest loss and the carbon sink \((\Sigma E_{\text{LUC,gain}})\) from secondary forest regrowth. This is given by:

\[
\Sigma E_{\text{LUC,gross}} = \Sigma E_{\text{LUC,loss}} + \Sigma E_{\text{LUC,gain}} \tag{4}
\]

\[
\Sigma E_{\text{LUC,loss}} = - A_{\text{loss}} \times L(t) \tag{5}
\]

\[
\Sigma E_{\text{LUC,gain}} = A_{\text{gain}} \times G(t) \tag{6}
\]

where \( L(t) \) and \( G(t) \) stand for the cumulative carbon density change in all carbon pools up to time \( t \). Positive values of carbon fluxes indicate a loss of land carbon to the atmosphere.

For each scenario in Table 1, we test different loss and gain response curves in our bookkeeping model, namely, linear or exponential carbon loss and linear, logarithmic or exponential increase for forest gain. In the case of gross forest area loss, we considered two options, either a primary forest (primary-to-secondary) or a secondary forest (secondary-to-secondary) being cleared (Table 2, also see an illustration in Figure 2). This gives a total of eight combinations (C1 to C8 in Table 2) to calculate legacy \( E_{\text{LUC}} \) after a forest area disturbance. Note that one basic principle of bookkeeping models is that the same equilibrium biomass carbon density is assumed between a secondary forest being lost and a secondary forest having fully recovered.

Therefore, the equilibrium biomass density of secondary forest being lost at \( t=0 \) in C1, C3 and C5 is set to be the same as that of the fully recovered (100 years) secondary forest in Poorter et al. (2016).
3 Results

3.1 Response curves and comparison with field measurements

The response curves of tropical moist forest from bookkeeping models of Houghton (1999) and Hansis et al. (2015) and from Poorter et al. (2016) for Latin America used in this study (Section 2) are displayed in Figure 1. The gain curves of Houghton (1999) (linear) and Hansis et al. (2015) (exponential) are similar (Figure 1) because the parameters of the exponential function were calibrated from the linear one. Due to the higher carbon density of primary compared to secondary forest and the identical time at which both loss curves reach zero in Houghton (1999) and Hansis et al. (2015), the loss curves for a cleared primary forest are steeper than those for a cleared secondary forest (Figure 1a, b). This implies that clearing a primary forest instead of a secondary one leads to larger legacy emissions. The fast decay of the rapid soil carbon pool in Figure 1a and 1b is due to the fact that a fraction of the initial biomass is assigned to this pool after forest clearing (Hansis et al., 2015; Houghton, 1999).

The logarithmic recovery curve (lime dashed lines in Figure 1c) from Poorter et al. (2016) has an initial faster biomass growth rate up to 20 years than in the curves used in previous bookkeeping models. After 20 or 30 years, however, the recovery curves of Houghton (1999) and Hansis et al. (2015) surpass the one of Poorter et al. (2016), leading to a higher equilibrium biomass of mature secondary forests (Figure 1c). More precisely, the 100-year biomass of a secondary forest in Houghton (1999) and Hansis et al. (2015) is ≈ 25% higher than in Poorter et al. (2016). The median time to recover 90% of the maximum biomass is 66 years in Poorter et al. (2016), compared to only 44 years in Houghton (1999) and 55 years in Hansis et al. (2015) (Figure 1c). The exponential recovery curve fit to the data from Poorter et al. (2016) (lime dash-dotted line in Figure 1c) has lower biomass than the logarithmic curve in the first 40 years but reaches a similar density after 100 years (by construction). The exponential curve from Poorter et al. (2016) agrees well with the linear curve of Houghton (1999) during the first 20 years (Figure 1c).

3.2 Temporal change of cumulative carbon fluxes in different LUC scenarios

We calculated cumulative carbon fluxes for the five idealized forest area change scenarios (Table 1) with the eight combinations of response curves (Table 2), giving an ensemble of 40 simulations. Results for each simulation are shown in Figure S1. We compare here the response curve combination C1 (exponential secondary forest loss and logarithmic recovery) and C2 (exponential primary forest loss and logarithmic recovery) as examples in Figure 3 (see annual fluxes in Figure S2) to illustrate the effect of different gross forest area change with the same net area change on cumulative carbon flux, i.e., the impact of $\gamma_{\text{net}}^{\text{LUC}}$ on $E_{\text{LUC}}$. Other combinations provide similar conclusions as C1 and C2. For example, $E_{\text{LUC}}$ for C5 and C6 using linear curves for forest loss are very similar to C1 and C2 in Figure S1.

In the scenario S0 with initial secondary forests and no net forest area change, $\Sigma E_{\text{LUC,net}}$ is zero when calculated based on net area change (Figure 3a) but the gross carbon flux ($\Sigma E_{\text{LUC,gross}}$) is distinct from zero. In the variant of the S0 scenario with initial primary forest (C2), due to the lower equilibrium carbon density of the secondary forest, $\Sigma E_{\text{LUC,gross}}$ is a large source after 100 years (red dashed lines in Figure 3a). In the secondary forest loss and gain case (C1), $\Sigma E_{\text{LUC,gross}}$ is a carbon source in the initial
period and gradually becomes carbon neutral with the compensation effects of secondary forest regrowth (red solid lines in Figure 3a).

Both S1 and S2 scenarios have the same net forest area loss ($A_{net} = -1$ ha) but different gross forest area changes ($\gamma_{12} = -1.2$ and $\gamma_{201} = -201$ for S1 and S2 respectively, Table 1). In S1 with a small gross area change ($A_{gross} = 1.2$ ha), $\Sigma E_{LUC,gross}$ is close to $\Sigma E_{LUC,net}$ (Figure 3b), starting with either primary and secondary initial forests. By contrast, the difference between $\Sigma E_{LUC,gross}$ and $\Sigma E_{LUC,net}$ in S2 is large and positive, indicating a cumulative carbon loss much higher than S1 due to its large gross area change (Figure 3c).

The scenarios S3 vs. S4 with a net forest gain ($A_{net} = +1$ ha) but different ratios of gross-to-net area changes ($\gamma_{Agross/Anet}$) present a similar behavior as S1 vs. S2. However, the sign of $\Sigma E_{LUC,gross}$ is reversed, from a sink in S3 (red lines in Figure 3d) to a source in S4 (red lines in Figure 3e). Especially for the gross primary forest loss, $\Sigma E_{LUC,gross}$ exhibits a large source even after 100 years (red dashed lines in Figure 3d,e). This implies that despite the net initial forest gain, the rate of gross area change determines the sign of $\Sigma E_{LUC,net}$ over a certain time horizon after the pulse of forest area change. More generally, this shows that, while long term cumulative land use change emissions are determined only by the net land use area change (e.g. Gasser and Ciais, 2013), short term cumulative emissions are determined by the gross area change.

### 3.3 Change of $\Sigma E_{LUC,gross}$ with the same net forest gain but different gross area changes

The comparison of $\Sigma E_{LUC,gross}$ (Figure 3) for the idealized scenarios (Table 1) illustrates the fact that different values of $\gamma_{Agross}$ have a large impact on the magnitude and the sign of cumulative LUC emissions depending on the time elapsed after the initial pulse of forest area change. We thus calculated the difference between $\Sigma E_{LUC,gross}$ and $\Sigma E_{LUC,net}$ by varying $\gamma_{Agross}$ in a systematic manner in a net forest gain scenario (Figure 4).

When $\gamma_{Agross}$ is increased, i.e., with more forest land turnover at $t = 0$ for the same initial net forest area gain ($A_{net} = +1$ ha), the time for $\Sigma E_{LUC,gross}$ to become a net carbon sink becomes longer (Figure 4a). With initial primary forest being cut at $t = 0$, the cumulative LUC carbon flux is still a source of CO$_2$ to the atmosphere after 100 years, even in simulations where the net forest area was increased at $t = 0$ (Figure 4b). This highlights that the different initial carbon densities between primary and secondary forest can lead to very long-term legacy emissions.

The critical value of $\gamma_{Agross}$ that reverses the sign of $\Sigma E_{LUC,gross}$ from carbon source to sink increases as a function of the time-horizon considered after the initial forest area change (Figure 4c). The two cases with initial secondary and primary forest loss show a different trajectory of this ratio along time. In the former, $\gamma_{Agross}$ increases slowly in the beginning and then sharply, while in the latter $\gamma_{Agross}$ increases quickly at the initial stage and then at a smaller rate. In fact, if $\Sigma E_{LUC,gross}$ can reach zero (the point of sign changed, let $\Sigma E_{LUC,gross} = 0$), combining with equations (1) to (6), the critical value of $\gamma_{Agross}$ can be expressed as:

$$
\gamma_{Agross/Anet} = \frac{L(t) - G(t)}{L(t) + G(t)}
$$

This critical value of $\gamma_{Agross/Anet}$ is independent of the initial forest area but determined by the carbon density changes at a given time consecutive to a change of forest area. Thus, for a secondary forest loss and gain at $t = 0$, the long-term $L(t) + G(t)$ tends
to zero and $\gamma_{A_{net}}^{Agross}$ goes to infinite. For a primary forest loss and secondary forest gain at $t = 0$, the long-term $L(t) + G(t)$ is the difference in the equilibrium carbon densities between primary and secondary forest, and therefore $\gamma_{A_{net}}^{Agross}$ approaches a constant value at $t = \infty$. Furthermore, it should be noted that our approach of analyzing the critical value of $\gamma_{A_{net}}^{Agross}$ is not limited to net forest gain scenarios or to LUC transitions between forest and cropland. The framework of $\gamma_{A_{net}}^{Agross}$ can also be extended to other LUC scenarios, including lower, higher, and equal equilibrium biomass density between two land-use types. For example, if a re-growing forest can achieve a higher equilibrium carbon density than the initial one, there is also a critical $\gamma_{A_{net}}^{Agross}$ for the net forest loss scenario, for which the gross carbon emission becomes a sink at a certain time after initial forest area change. This situation may happen in reality, if the deforested forests are replaced by more productive species or under active management like fertilization and irrigation. Even in the field measurements by Poorter et al. (2016), some Neotropical secondary forests show very high biomass resilience, i.e., reaching to a higher biomass than pre-deforestation.

### 3.4 Ratios in Latin America from satellite imagery

Based on the theoretical evidence for the existence of a critical value of the gross-to-net forest area change ratio ($\gamma_{A_{net}}^{Agross}$), which determines the sign and magnitude of $\Sigma E_{LUC,gross}$ at a given time after an initial net forest area change, we pose the question whether such ratios can be observed in the real world. The availability of 30 m resolution forest cover change data from satellites (Hansen et al., 2013) makes it possible to calculate these ratios for a small region of the neo-tropics, where both gross forest loss and gain are going on. Using the high resolution forest area change data of Hansen et al. (2013) between 2000 and 2012, we calculated the ratios ($\gamma_{A_{net}}^{Agross}$) at a spatial resolution of 0.5° in the same region of Latin America as Poorter et al. (2016). The spatial resolution of 0.5° is a typical resolution of DGVMs when they simulate global $E_{LUC}$. We set a future time horizon of 20 years as that is close to the targeted year in the Nationally Determined Contributions (NDCs) (Grassi et al., 2017). From Figure 4c, the critical values of $\gamma_{A_{net}}^{Agross}$ at 20 years after an initial change in forest area are 7.2 and 2.4 respectively for secondary-to-secondary and primary-to-secondary initial transitions. For a longer time horizon of 50 years, the critical values are 22.5 and 3.1, respectively. After 100 years of the initial forest area change, while the critical value of $\gamma_{A_{net}}^{Agross}$ for secondary-to-secondary transition goes to infinite, it approaches a constant value of 3.7 for primary-to-secondary forest change (Figure 4c). The spatial map of $\gamma_{A_{net}}^{Agross}$ diagnosed from the 30 m Landsat forest cover data in grid cells of 0.5° is shown in Figure 5. Note that here we focus only on the grid cells with a net forest gain. The number of 0.5° grid cells where $\gamma_{A_{net}}^{Agross} > 7.2$, that is grid cells where current forest area change will lead to a source of CO$_2$ over a 20-year horizon, is 102 in our domain (Figure 5a), which accounts for 35% of the total number of grid cells where a net forest gain is observed between 2000 and 2012. In these 102 grid cells, the $\Sigma E_{LUC,gross}$ is simulated to be a cumulative carbon emission in 20 years, no matter whether the lost forest is primary or secondary. If primary forests are cleared in grid cells with $2.4 < \gamma_{A_{net}}^{Agross} < 7.2$ (33% of the total forest gain grid cells, Figure 5a), the 20-year $\Sigma E_{LUC,gross}$ is also a carbon source rather than a sink. We note that it is not possible to separate the primary and secondary forest in the forest cover data (Hansen et al., 2013), so we cannot say whether these grid cells with $2.4 < \gamma_{A_{net}}^{Agross} < 7.2$ are carbon source or sink in the real world. For a time horizon of 50 years, the fractions of grid cells with $\gamma_{A_{net}}^{Agross} > 22.5$ and with $3.1 < \gamma_{A_{net}}^{Agross} < 22.5$ in total net forest gain grid cells are 14% and 46% respectively (Figure 5c). The 100-year...
cumulative $\Sigma E_{LUC,gross}$ in grid cells with $\gamma_{Anet}^{Agross} > 3.7$ (53% of total) is also possible to be a carbon source if lost forest is primary in these grid cells (Figure 5d). The grid cells with $\gamma_{Anet}^{Agross}$ greater than the critical values are mainly distributed in Southeast Brazil (Figure 5b,c,d).

4 Discussion

The biomass recovery curves of Neotropical secondary forests from Poorter et al. (2016) are lower after 20 years since the initial LUC than those used in the bookkeeping models of Houghton (1999) and Hansis et al. (2015), implying that these models may bias the temporal changes of LUC carbon fluxes in Latin America. The biomass recovery curves of the bookkeeping models were based on estimates of global or regional vegetation biomass from a synthesis of field measurements and based on prescribed recovery time depending on vegetation types and regions (Houghton, 1999). Differences may also exist for soil carbon dynamics after LUC, because the distribution of biophysical conditions like soil texture, precipitation and temperature from the sites that are measured may not match the distribution of the whole set of such factors in the LUC areas in a given region (Powers et al., 2011).

In this study, we used a bookkeeping method to quantify the difference in LUC emissions calculated using net versus gross forest area transitions, and to show the existence of critical ratios of gross-to-net forest area changes above which land use action will cause a reversed sign of cumulative carbon flux. Evidently, the choice of a time horizon to assess the carbon balance of a system after an initial pulse of forest area change influences the value of the critical ratio $\gamma_{Anet}^{Agross}$. The desirable target time lengths could be different depending on specific mitigation projects or land-use reduction policies, and thus critical values of the gross-to-net forest area change ratio are different (Figure 4c). On the other hand, because of the temporal evolution of legacy carbon fluxes after initial land disturbance, it is important to define a specific and reasonable time horizon when making land-based mitigation policies.

As a conceptual analysis, the assumptions we made raise uncertainties. First, the logarithmic biomass recovery curve adopted in Poorter et al. (2016) does not seem to be appropriate for LUC emission modelling because it does not reach an equilibrium state. We thus fitted the data from Poorter et al. (2016) with an exponential saturating curve to avoid this issue. Second, we used a median biomass recovery rate for the whole tropical moist forest region in Latin America. In reality, however, due to the different climate, soils and other ecosystem conditions, recovery rates vary, and thus spatially explicit recovery rates should better depict regional patterns of secondary forest regrowth and net LUC emissions. In the dry tropics, the critical ratio values may be smaller because of the slower biomass recovery rates. Third, the biomass and soil carbon densities in initial vegetation and the equilibrium vegetation after LUC are also spatially different in the real world. The distinction between primary and secondary forest being lost at $t = 0$ is a typical example of how different initial carbon density impacts the legacy LUC carbon flux and thus the determined critical gross-to-net ratio values. In fact, a large spatial gradient of biomass exists from Northeast to Southwest Amazon region (Saatchi et al., 2007, 2011). One possible approach to account for the spatial variations of both biomass recovery rate and biomass density would be to reconstruct spatially explicit biomass–age curves using relationship
between regrowth rates and climate (Poorter et al., 2016) and to combine with observation-based biomass densities (Baccini et al., 2012; Saatchi et al., 2011) and satellite-based forest cover change (Hansen et al., 2013). However, uncertainties arise in the up-scaling of biomass recovery rates and lack of information on annually resolved forest gain from Hansen et al. (2013). In addition, spatially explicit soil carbon density maps are also uncertain.

5 The effect of gross-versus-net forest area change on legacy LUC emissions certainly differs across forest ecosystems and LUC transition types (e.g. transitions between grassland and cropland). The concept of critical ratios of gross-to-net LUC affecting legacy carbon balance can be extended in other regions where forest management practice is critical (e.g. North America and Europe). Forest management practices like wood harvest and thinning extract carbon from the ecosystem and release it to the atmosphere (Houghton et al., 2012), while the new planted forest in rotation practice and even old-growth forests can act as carbon sinks (Luyssaert et al., 2008). In theory, likewise, a critical ratio value should exist to balance the bi-directional carbon fluxes in forest management practices. An advantage of this concept of critical ratio is that it can be directly measured with satellite observations, which provides a quick guide for local land use management practice through near-real-time forest cover change data (e.g. Global Forest Watch http://www.globalforestwatch.org/).

Accurate estimates of LUC carbon fluxes in the Neotropical forests are increasingly important for climate mitigation policy with the progressive implementation of Reducing Emissions from Deforestation and forest Degradation (REDD+) programs under the United Nations Framework Convention on Climate Change (UNCCC) (Angelsen et al., 2009; Magnago et al., 2015). Furthermore, forest-based climate mitigation has been taken as a key option in the Nationally Determined Contributions (NDCs) proposed by some countries to the Paris Climate Agreement, accounting for about one-fourth of total intended emission reductions from a pre-defined baseline (Grassi et al., 2017). Brazil contributes about one-third of the global forest-based emission reduction in the NDCs (Grassi et al., 2017). Based on the results of this study, we argue that it will be important to carefully distinguish the amount of gross vs. net forest changes and clearing of primary vs. secondary forest when assessing national forest-based mitigation pledges. With a too high rotation rate of forests, i.e. a large gross to net area change ratio, a net forest gain could still legate a net carbon source over a long period in the future. Our work has the potential to be extended to country-level and other LUC types as long as information on vegetation and soil carbon densities changes after LUC is available, and a critical value of $\gamma_{\text{gross}}^{\text{Anet}}$ can be estimated as a guideline to evaluate land-based mitigation policies for each region. More observation-based data on land-use area change and carbon loss and gain curves will definitely help to extend the range of applications of the critical gross-to-net area ratio concept.

5 Conclusions

Using only net LUC transitions instead of gross values can bias the magnitude of estimated LUC carbon fluxes, to the point of estimating a sink instead of a source in reality if high gross forest area change occurs. We used idealized scenarios to demonstrate different aspects of the discrepancy between net and gross forest changes, defining the $\gamma_{\text{gross}}^{\text{Anet}}$ metric as the ratio of gross area change to net area change. Our S0 experiment shows even that there is no net forest change, LUC may actually lead
to a carbon source, depending on the gross forest change area. S1 and S2 show that with the same net forest loss, different ratios of gross-to-net forest change ($\gamma_{\text{net}}^{\text{gross}}$) alter the magnitude of differences between net and gross cumulative carbon fluxes. Similarly, S3 and S4 show that with the same amount of net forest gain area, different $\gamma_{\text{net}}^{\text{gross}}$ can even change the directions of carbon fluxes, i.e. from a gross carbon sink to source even that net forest area increases. We further determined the critical ratios in net forest gain grid cells ($\gamma_{\text{net}}^{\text{gross}} = 7.2$ and 2.4 respectively for secondary and primary forest clearing), above which the gross cumulative carbon fluxes show a reversed sign than the net ones at 20 years after LUC occurred. These analyses reveal the importance of using gross LUC transitions rather than net LUC transitions in both bookkeeping models and DGVMs. The concept of critical ratio can be also implemented in other LUC transitions in other regions and used as a guide for carbon balance estimation in forest management.

10 Acknowledgements

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References


Yue, C., Ciais, P., Luyssaert, S., Li, W., McGrath, M., Chang, J. and Peng, S.: Representing anthropogenic gross land use change, wood harvest and forest age dynamics in a global vegetation model ORCHIDEE-MICT (r4259), Geosci. Model Dev. Discuss., 2017.
Table 1 Illustrative scenarios with different ratios of gross-to-net forest area changes impacting legacy LUC emissions after a pulse disturbance of forest area at \( t = 0 \). \( A_{\text{net}} \), \( A_{\text{gross}} \), \( A_{\text{loss}} \), \( A_{\text{gain}} \) and \( \gamma_{\text{gross}}^{\text{net}} \) are the applied net forest area change, gross forest area change, gross forest loss area, gross forest gain area and the ratio of \( A_{\text{gross}} \) to \( A_{\text{net}} \) at \( t = 0 \). Positive value of an area change is an increase of forest area.

<table>
<thead>
<tr>
<th>Scenario</th>
<th>( \gamma_{\text{gross}}^{\text{net}} )</th>
<th>( A_{\text{net}} ) (ha)</th>
<th>( A_{\text{gross}} ) (ha)</th>
<th>( A_{\text{loss}} ) (ha)</th>
<th>( A_{\text{gain}} ) (ha)</th>
</tr>
</thead>
<tbody>
<tr>
<td>S0</td>
<td>( \gamma_{0}^{*} = \infty )</td>
<td>0</td>
<td>2</td>
<td>-1</td>
<td>1</td>
</tr>
<tr>
<td>S1</td>
<td>( \gamma_{1}^{0.2} = -1.2 )</td>
<td>-1</td>
<td>1.2</td>
<td>-1.1</td>
<td>0.1</td>
</tr>
<tr>
<td>S2</td>
<td>( \gamma_{1}^{201} = -201 )</td>
<td>-1</td>
<td>201</td>
<td>-101</td>
<td>100</td>
</tr>
<tr>
<td>S3</td>
<td>( \gamma_{1}^{1.2} = 1.2 )</td>
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<td>1.2</td>
<td>-0.1</td>
<td>1.1</td>
</tr>
<tr>
<td>S4</td>
<td>( \gamma_{1}^{201} = 201 )</td>
<td>1</td>
<td>201</td>
<td>-100</td>
<td>101</td>
</tr>
</tbody>
</table>

Table 2 Different combinations of response curves to calculate \( E_{\text{LUC}} \).

<table>
<thead>
<tr>
<th>Combination</th>
<th>Forest loss</th>
<th>response curve in all carbon pools</th>
<th>Forest gain</th>
<th>response curve for biomass</th>
<th>response curve for soil</th>
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</thead>
<tbody>
<tr>
<td>C1</td>
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<td>secondary</td>
<td>logarithmic,</td>
<td>exponential,</td>
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<td></td>
<td></td>
<td></td>
<td></td>
<td>Poorter</td>
<td></td>
</tr>
<tr>
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<td>exponential, Hansis</td>
<td>secondary</td>
<td>logarithmic,</td>
<td>exponential</td>
</tr>
<tr>
<td></td>
<td></td>
<td></td>
<td></td>
<td>Poorter</td>
<td></td>
</tr>
<tr>
<td>C3</td>
<td>secondary</td>
<td>exponential, Hansis</td>
<td>secondary</td>
<td>exponential,</td>
<td>exponential</td>
</tr>
<tr>
<td></td>
<td></td>
<td></td>
<td></td>
<td>Poorter</td>
<td></td>
</tr>
<tr>
<td>C4</td>
<td>primary</td>
<td>exponential, Hansis</td>
<td>secondary</td>
<td>exponential,</td>
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<tr>
<td></td>
<td></td>
<td></td>
<td></td>
<td>Poorter</td>
<td></td>
</tr>
<tr>
<td>C5</td>
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<td>linear, Houghton</td>
<td>secondary</td>
<td>logarithmic,</td>
<td>exponential</td>
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<td></td>
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<td>Poorter</td>
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</tr>
<tr>
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<td></td>
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<td>Poorter</td>
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<td>primary</td>
<td>linear, Houghton</td>
<td>secondary</td>
<td>linear, Houghton</td>
<td>linear, Houghton</td>
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</table>
Figure 1 Response curves for tropical moist forest in bookkeeping models and from a recent field study. Solid and dotted lines indicate the linear (Houghton, 1999) and exponential (Hansis et al., 2015) curves, respectively. Lime dashed and dash-dotted lines are the logarithmic and exponential curves from forest plots (Poorter et al., 2016). Biomass carbon density in primary forest is also shown as a star in (c) for comparison.
Figure 2 An illustration of different gross forest area changes with the same net area change. (a) Net forest gain with small gross secondary forest area changes (secondary-to-secondary), thus low $\gamma_{\text{gross}}^{A_{\text{net}}}$ . (b) Same net forest gain as (a) but with large gross secondary forest area changes (secondary-to-secondary), thus high $\gamma_{\text{gross}}^{A_{\text{net}}}$ . (c) Same as (a) but with gross primary forest loss (primary-to-secondary) instead of gross secondary loss.
Figure 3 Cumulative carbon flux (ΣE_{LUC}) after an initial forest area change at t = 0 followed by no change in forest area, for the different scenarios S0 to S4 in Table 1 with different net and gross initial forest area changes. The response curves used in those bookkeeping model simulations are C1 in solid lines (Table 2) with a secondary-to-secondary forest change at t = 0, and a logarithmic biomass recovery curve with an asymptote, and C2 in the dashed lines (primary-to-secondary forest change at t = 0 and a logarithmic biomass recovery curve with an asymptote). The dotted line is the zero line. Positive value of carbon flux indicates carbon emission to the atmosphere.
Figure 4 Time evolution of cumulative carbon flux ($\Sigma E_{LUC, gross}$) after an initial forest area change involving gross forest area changes followed by no forest area change. The colored curves have the same net area change ($A_{net} = +1$ ha) at $t = 0$ but variable values of the initial gross-to-net area change ratios ($\gamma_{Agross}$). The three panels show results of our bookkeeping model for (a) a net forest gain at $t = 0$ scenario with gross secondary forests (secondary-to-secondary), (b) the same net area gain at $t = 0$ with gross primary forest loss (primary-to-secondary), and (c) the critical value of $\gamma_{Agross}$ at which $\Sigma E_{LUC, gross}$ is zero, going from a net source to a net sink with different time horizon. Values larger than this critical value indicate that the initial forest area change has the net effect to emit CO$_2$. Exponential carbon loss curve from (Hansis et al., 2015) and logarithmic gain curve from (Poorter et al., 2016) are used in this example. The red line in (a) and (b) is the zero line, defining the time after initial disturbance at which the system reaches a neutral carbon balance. The light and dark green lines in (c) represent the critical ratios for a net initial forest gain scenario with secondary-to-secondary (a) and primary-to-secondary (b) gross forest area change, respectively.
Figure 5 Ratios of gross-to-net forest area change ($\gamma^{\text{Agross}}_{\text{Anet}}$) in 0.5°×0.5° grid cells in Latin America (same region as (Poorter et al., 2016)) calculated from the high-resolution forest cover change map (Hansen et al., 2013). Grid cells with $\gamma^{\text{Agross}}_{\text{Anet}} < 2.4$ are masked. (b) is the zoom-in area of 20-30° S and 40-60° W in (a) (red rectangle) and grid cells with $\gamma^{\text{Agross}}_{\text{Anet}} > 7.2$ and with 2.4 $< \gamma^{\text{Agross}}_{\text{Anet}} < 7.2$ are shown as blue and green respectively to indicate those beyond the critical ratios with a time horizon of 20 years. (c) and (d) are similar to (b) but indicate a time horizon of 50 and 100 years respectively.