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# Multi-Level Split Regression Wavelet Analysis for Lossless Compression of Remote Sensing Data

Sara Álvarez-Cortés, Joan Bartrina-Rapesta, and Joan Serra-Sagristà

Abstract-Spectral redundancy is a key element to be exploited in compression of remote sensing data. Combined with an entropy encoder, it can achieve competitive lossless coding performance. One of the latest techniques to decorrelate the spectral signal is Regression Wavelet Analysis (RWA). RWA applies a wavelet transform in the spectral domain and estimates the detail coefficients through the approximation coefficients using linear regression. RWA was originally coupled with JPEG 2000. This letter introduces a novel coding approach where RWA is coupled with the predictor of CCSDS-123.0-B-1 standard and a lightweight contextual arithmetic coder. In addition, we also propose a smart strategy to select the number of RWA decomposition levels that maximizes the coding performance. Experimental results indicate that, on average, the obtained coding gains vary between 0.1 to 1.35 bits-per-pixel-per-component compared with other state-of-the-art coding techniques.

*Index Terms*—Spectral decorrelation, predictive coding, loss-less coding.

### I. INTRODUCTION

The data acquired by on-board remote sensing sensors is an unvaluable tool for governments, rescue teams, and aid organizations to manage infrastructure and natural resources, to appraise climate changes, or to give support when natural disasters strike. The data produced by these sensors is increasing unprecedently in each mission and, therefore, low-complexity and high-performing lossless compression techniques are of paramount importance.

Lossless coding techniques exploit the redundancy in the spatial and spectral dimensions of the scenes, allowing perfect reconstruction. Several transforms, such as Discrete Wavelet Transform, Principal Component Analysis (PCA) [1], Pairwise Orthogonal Transform (POT) [2] or the most recent Regression Wavelet Analysis (RWA) [3], can be employed to take advantage of the spectral redundancy. RWA is a low-complexity transform that reduces the redundancy still remaining after the computation of a wavelet transform along the spectral dimension. In [3] it is shown that RWA followed by JPEG 2000 [4] (RWA+JPEG2000) usually achieves higher compression ratios than widespread state-of-the-art lossless coding techniques such as PCA+JPEG2000, POT+JPEG2000, M-CALIC [5] and CCSDS-123.0-B-1 [6]. Additionally, in [7], the performance of RWA+JPEG2000 at several decomposition

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levels for different regression models and variants is evaluated, concluding that, when using all the regressors and the highest number of decomposition levels, RWA gives rise to the best coding gain on remote sensing data.

Although JPEG 2000 can achieve high lossless compression ratios, it is too computationally demanding for remote sensing sensors. In this regard, the Consultive Committee for Space Data Systems (CCSDS) published in 2012 the CCSDS-123.0-B-1 standard (CCSDS-123 in what follows), intended for lossless coding of multispectral and hyperspectral data and based on prediction and two different entropy encoders. Spatial and spectral redundancy is exploited through an adaptive linear prediction method that makes use of its nearby samples within a small three-dimensional neighborhood. The prediction is sequentially conducted in a single pass, entailing minor computational complexity.

Despite the affordable computational complexity of CCSDS-123, it allows to achieve high lossless compression ratios. Lately, several contributions [8]-[11] have been presented that surpass its coding performance at the expense of a higher computational cost. In particular, [10], [11] use a conventional recursive least-squares technique to predict the current sample and compute the residual, then the residual is entropy encoded by an arithmetic encoder. Thus, both contributions are a trade-off between coding performance and computational complexity. In 2017, Bartrina-Rapesta et al. [12] presented a compression technique based on the CCSDS-123 predictor and followed by a low-complexity arithmetic coder (CCSDS-123-AC) using a novel and simple context model that only assesses causal adjacent samples and inexpensive low-cost bitwise operations for the symbol probability estimations; on average, it improves CCSDS-123 and M-CALIC by 0.1 and 0.86 bits-per-pixel-per-component (bpppc), respectively.

This letter presents a novel compression technique based on RWA that obtains higher compression ratios with lower computational cost than the original [3]. In our proposal, the computational cost is reduced by employing a smart strategy that keeps applying further RWA decomposition levels only if it provides coding gain. After the smart-RWA is conducted, the decorrelated signal is encoded with the low complexity CCSDS-123-AC.

This paper is structured as follows: Section II reviews RWA transform. Section III introduces our proposed coding technique. Section IV provides experimental results and discussion of the achieved results as compared to state-of-the-art techniques for data captured by different hyperspectral sensors. Section V brings forward our conclusions.

### II. REGRESSION WAVELET ANALYSIS OVERVIEW

RWA [3] is composed by two sequential operations: a discrete wavelet transform (DWT) –commonly the S-Transform–and a prediction stage -performed through a linear regression-.

### A. Discrete Wavelet Transforms

The DWT operation comprises a pyramidal multi-resolution decomposition along the 1-D spectral dimension. Considering a multi-component scene with z spectral components and m spatial samples per component, let  $\mathbf{V}^0 \in \mathbb{R}^{m \times z}$  be

$$\mathbf{V}^0 = [V^0(1), \dots, V^0(z)], \text{ with } V^0(i) = V_i^0 \in \mathbb{R}^{m \times 1},$$

where  $i{=}\{1,...,z\cdot 2^{-j}\}$  and  $j{=}\{1,...,J\}$ ,  $J=\lceil \log_2(\mathbf{z})\rceil$ . The original signal  $\mathbf{V}^0$  is decomposed into the half-resolution approximation  $\mathbf{V}^1$  and the half-resolution detail  $\mathbf{W}^1$  signals. This process is repeated for  $\mathbf{V}^{j-1}$ , yielding  $\mathbf{V}^j{\in}\mathbb{R}^{m\times(z\cdot 2^{-j})}$  and  $\mathbf{W}^j{\in}\mathbb{R}^{m\times(z\cdot 2^{-j})}$  signals.  $\mathbf{V}^j$  contains a reduced version of  $\mathbf{V}^{j-1}$  information and  $\mathbf{W}^j$  retains the detail information, namely, the difference between  $\mathbf{V}^{j-1}$  and  $\mathbf{V}^j$ .

The one level DWT decomposition of each  $V^{j-1}$  can be expressed as follows:

$$(DWT)(\mathbf{V}^{j-1}, 1) = (\mathbf{V}^j, \mathbf{W}^j). \tag{1}$$

This decomposition is recursively performed in a pyramid form over  $\mathbf{V}^j$ , while the detail components  $\mathbf{W}^{1 \leq j}$  remain unchanged. By induction, from  $\mathbf{V}^0$ , the wavelet representation with J levels is described as follows:

$$(DWT)(\mathbf{V}^0, J) = (\mathbf{V}^J, (\mathbf{W}^j)^{1 \le j \le J}). \tag{2}$$

## B. Ordinary Least-Squares Method

The second sequential operation of the RWA consists of a light linear regression aimed to remove the spectral redundancy that still remains in  $\mathbf{W}^{1 \leq j \leq J}$ .

At each level j, the regression model estimates each detail component  $(\widehat{\mathbf{W}}_i^j \in \mathbb{R}^{m \times (z \cdot 2^{-j})})$  from  $\mathbf{V}^j \in \mathbb{R}^{m \times (z \cdot 2^{-j})}$  employing an ordinary least-squares (OLS) method [13].

At level j, the estimations can be computed as:

$$\widehat{\mathbf{W}}_{i}^{j} = f_{i} [\mathbf{V}_{i}^{j}] = \beta_{i,0}^{j} + \beta_{i,1}^{j} \mathbf{V}_{1}^{j} + \dots + \beta_{i,k}^{j} \mathbf{V}_{k}^{j}, \quad (3)$$

where  $\boldsymbol{\beta}^j$  correspond to the regression coefficients at level  $j,~\boldsymbol{\beta}_i^j \in \mathbb{R}^{(k+1)\times 1},~\mathbf{V}_i^j \in \mathbb{R}^{m\times 1}$  and  $k=z\cdot 2^{-j}$  is the number of approximation components employed by the OLS method. Note that  $\boldsymbol{\beta}^j$  values must be stored as side information for decoding purposes. The size of the side information amounts to  $\frac{z^2}{3}(1-\frac{1}{2^{2j}})+z(1-\frac{1}{2^j})$  parameters.

Once the predicted signal  $\widehat{\mathbf{W}}^j$  is computed, the residuals are obtained by subtraction:

$$\mathbf{R}^j = \mathbf{W}^j - \widehat{\mathbf{W}}^j. \tag{4}$$

Then, assuming that the highest number of decomposition levels J has been applied,  $\mathbf{V}^J$  and  $\mathbf{R}^{1\leq j\leq J}$  are losslessly entropy encoded together. At the decoder side, to recover the signal  $\mathbf{V}^{J-1}$ , the approximations  $\mathbf{V}^J$  and the residuals  $\mathbf{R}^J$  are employed. This process is computed in cascade form (for  $j=J-1,\ldots,1$ ). For a more in-detail explanation of RWA reverse process, see [3].

### C. RWA Variants

RWA can be executed on different modes to compute the estimation  $\hat{\mathbf{W}}^{j}$  of the detail components  $\mathbf{W}^{j}$  based on the approximation components  $V^j$ : Maximum, Restricted, Fast and Exogenous variants. The maximum model utilizes all approximation components from  $V^{j}$  for the prediction of each detail component  $\mathbf{W}_{i}^{j}$ . The restricted model only employs a subset of components from  $V^j$  during the prediction to preserve the component scalability of the original DWT. The Fast variant applies a spatial sub-sampling of the approximation components only for the regression operation computation. Finally, as scenes captured by the same hyperspectral sensor may have similar statistical relationships among their components, the exogenous variant computes the regression coefficients only once, for a giving training scene, and employs these predictions for other scenes captured by the same sensor. This regression coefficients operation is performed off-line, not on-board, saving significant computational resources and execution time. This is a convenient strategy for those scenes corpora with a very large number of spectral components z.

# III. PROPOSED LOW-COMPLEXITY CODING TECHNIQUE A. RWA with CCSDS-123-AC

Up to now, the RWA output signals  $\mathbf{V}^J$  and  $\mathbf{R}^{1 \leq j \leq J}$  are losslessly entropy encoded with JPEG 2000 bit-plane and entropy coder machinery [3], [7]. Here we substitute JPEG 2000 by CCSDS-123-AC [12], which is a coding technique based on the predictor of CCSDS-123 followed by a lightweight contextual arithmetic encoder. The performance of this approach is discussed next.

All the results reported in this letter have been obtained from 27 hyperspectral scenes<sup>1</sup> captured by three different sensors: the Airborne Visible/Infrared Imaging Spectrometer (AVIRIS), the Infrared Atmospheric Sounding Interferometer (IASI) and the Atmospheric Infrared Sounder (AIRS). These instruments store scenes with a bit-depth of 16 bpppc. Table I depicts the dimensional information of these scenes together with the sensor's names abbreviations, the RWA regression model or variant and the CCSDS-123-AC's predictor configurations used per each sensor. The average order-0 entropy is also disclosed.

Regarding the RWA configurations: maximum regression model is applied for UA and CA scenes and exogenous variant for UI, CI and AG scenes (Table I). Though the maximum model attains better prediction, it also needs an important amount of side information to recover the original signal. For instance, UI, CI and AG sensors need, respectively, 0.918, 0.939 and 1.249 bpppc for the side information if maximum variant is employed. The expensive storage of the side information yields to a more competitive result if using the exogenous variant. The scenes UI-1, CI-1 and AG-129 have been employed only for the training procedure. Results are therefore not provided for these three scenes.

Leaning on results of [12] and after conducting an extensive evaluation, experimental results are produced for the CCSDS-123 predictor's parameters reported in Table I -columns 6 and 7-.

<sup>1</sup>The scenes are available at http://cwe.ccsds.org/sls/docs/sls-dc/123. 0-B-Info/TestData.

Table I: Summary of data employed for the experimental results. From left to right: the sensor name together with the dimensions of their recorded scenes, sensor's names abbreviations, used scenes, scenes average order-0 entropy, RWA regression model or variant, and mode and local sum used by the CCSDS-123-AC predictor. z is the number of spectral components, y is the height and x is the width.

Sensors & Dimensions	Abbreviation	Scenes	Order-0 entropy   RWA Model or Variant		Predictor Mode	Predictor local sum
Uncalibrated AVIRIS	UA	Yellowstone, sc: 00, 03, 10, 11, 18	12.16	Maximum	Neighbor Oriented	Full Mode
z=224, y=512, x=680						
Calibrated AVIRIS	CA	Yellowstone, sc: 00, 03, 10, 11, 18	9.77	Maximum	Neighbor Oriented	Full Mode
z=224, y=512, x=680						
Uncalibrated IASI Level 0		L0 1: 20091007093900Z				
z = 8359	UI	L0 2: 20091007143900Z	8.12	Exogenous	Neighbor Oriented	Full Mode
y=1528		L0 3: 20100319050300S6				
x=60		L0 4: 20120718075700Z				
Calibrated IASI Level 1		L1 1: 20130816230553Z				
z=8461		L1 2: 20130817004753Z				
y=1530	CI	L1 3: 20130817041457Z	12.89	Exogenous	Neighbor Oriented	Full Mode
x=60		L1 4: 20130817055657Z				
		L1 5: 20130817073857Z				
AIRS Gran	AG	sc: 9, 16, 60, 126, 129, 151, 182, 193	11.39	Exogenous	Neighbor Oriented	Reduced Mode
z=1501, y=135, x=90						

Table II reports average bit-rates for RWA at 1, 5 and the highest number of decomposition levels followed by JPEG 2000 standard (RWA+JPEG2000) and CCSDS-123-AC (RWA+CCSDS-123-AC). RWA+CCSDS-123-AC coding gain values with respect to RWA+JPEG2000 are also disclosed in column 6. It is worth noting that, after RWA computation, two very different types of data must be processed, the approximations  $V^j$  and the residuals  $\mathbf{R}^{1 \leq j}$ . As in JPEG 2000 each component is encoded independently, the approximations and residuals can be considered a single signal to be encoded. However with CCSDS-123 and after computing the RWA, this consideration does not hold, since, to estimate data from a certain component, the CCSDS-123 predictor can employ information from other components or even decomposition levels. This leads to an incorrect prediction that may penalize the encoding performance. Consequently, for CCSDS-123-AC, each RWA decomposed signal (approximation and details) is separately encoded. In this case, the best results per each sensor are enhanced in bold. From these results we can see that: 1) RWA+CCSDS-123-AC almost always outperforms RWA+JPEG2000 at all levels; 2) the best coding performance for RWA+JPEG2000 is always obtained when the highest number of decomposition levels is applied; and 3) RWA+CCSDS-123-AC at the highest decomposition level does not always yield the lowest bit-rates.

## B. Multi-Level Split RWA

As seen above, fixing the number of RWA levels is not the best strategy when CCSDS-123-AC is harnessed. In order to obtain the best coding performance, we automatically select the adequate number of decomposition levels for RWA+CCSDS-123-AC, and we name this proposal as MLS-RWA+CCSDS-123-AC.

Fig. 1. renders our proposed coding technique when applying RWA for any regression model or variant. The main insight of MLS-RWA is to process a new RWA decomposition level over  $\mathbf{V}^j$  only if the sum of bit-rates of approximations, residuals and regression coefficients does not exceed the bit-rate required to losslessly compress the approximations of the lower level, i.e.,  $\mathrm{BR}(\mathbf{V}^j) + \mathrm{BR}(\mathbf{R}^j) + \mathrm{BR}(\boldsymbol{\beta}^j) < \mathrm{BR}(\mathbf{V}^{j-1})$ .

Table II: Average bit-rates (In BPPPC) when encoding different scenes corpora (Table I) with JPEG 2000 and CCSDS-123-AC after RWA at 1, 5 and the highest number of decomposition levels.  $P_{\rm R}$  corresponds to the number of previous components that the CCSDS-123 predictor uses when estimating the RWA residual components. The best results per each sensor are enhanced in bold.

		RWA	RV		
	RWA	+	+		Coding
	levels	JPEG2000	CCSDS-123-AC		gains
			$P_{\rm R}=0$	$P_{\rm R} = 3$	
	1	7.86	5.79	5.79	2.07
UA	5	5.87	5.71	5.68	0.19
	8	5.83	5.72	5.69	0.14
CA	1	5.27	3.64	3.69	1.63
	5	3.56	3.52	3.63	0.04
	8	3.52	3.53	3.63	-0.01
UI	1	3.86	2.66	2.77	1.20
	5	2.54	2.51	2.75	0.03
	14	2.44	2.51	2.77	-0.07
CI	1	8.17	6.54	6.41	1.76
	5	6.60	6.38	6.24	0.36
	14	6.46	6.37	6.23	0.23
AG	1	5.62	4.15	4.23	1.47
	5	4.25	3.99	4.16	0.26
	11	4.18	4.01	4.17	0.17

Iteratively, further RWA decomposition levels are applied until no coding gain exists. The code-streams from the last applied level are discarded and the process stops. In the figure, CS and the BR refer respectively to the code-stream term and bit-rate operation.  $BR(\mathbf{V}^0)$  has been previously obtained after encoding  $\mathbf{V}^0$  with CCSDS-123-AC. We use LZMA [14] as entropy coder for encoding the regression coefficients. However, another lossless coding technique could be employed. All the residual and regression coefficients code-stream at the highest decomposition level that satisfy the condition are stored together into the final code-stream. For exogenous variant, the regression coefficients would have been fixed beforehand and would not be stored into the final code-stream.

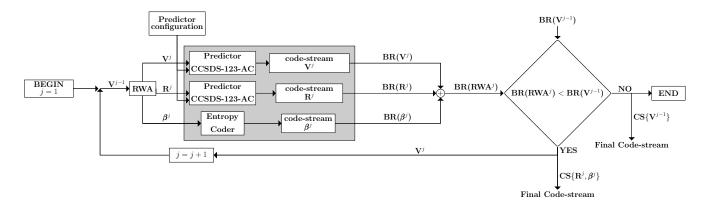


Fig. 1.: Proposed coding scheme.

Table III: Average bit-rates (in bpppc) for PCA+JPEG2000, RWA+JPEG2000, M-CALIC, CCSDS-123, CCSDS-123-AC and MLS-RWA+CCSDS-123-AC for scenes of Table I. The best coding performances of our proposal are bold enhanced. The coding gains with respect to our best proposal's outcomes are also included in parentheses.  $P_{\rm R}$  corresponds to the number of previous components employed by CCSDS-123-AC's predictor stage to estimate the RWA residual components.

	MLS-RWA levels	PCA+JPEG2000	RWA+JPEG2000	M-CALIC	CCSDS-123	CCSDS-123-AC	$MLS-RWA+CC$ $P_{R} = 0$	CSDS-123-AC $P_{R} = 3$
UA	4	5.81 (0.14)	5.83 (0.16)	6.06 (0.39)	5.98 (0.31)	5.92 (0.25)	5.69	5.67
CA	4	3.69 (0.17)	3.52 (0.00)	3.86 (0.34)	3.72 (0.20)	3.76 (0.24)	3.52	3.62
UI	6		2.44 (-0.07)	2.88 (0.37)	2.88 (0.37)	2.82 (0.31)	2.51	2.75
CI	7	_	6.46 (0.23)	6.88 (0.65)	6.59 (0.36)	6.53 (0.30)	6.36	6.23
AG	4 (sc:16) 5 (sc:126,193) 6 (sc:9,60,151,182)	7.69 (3.70)	4.18 (0.19)	4.34 (0.35)	4.33 (0.34)	4.29 (0.30)	3.99	4.14
Average		5.73 (1.35)	4.48 (0.10)	4.80 (0.42)	4.70 (0.32)	4.66 (0.28)	4.38	3

MLS-RWA decreases the computational cost by reducing the number of RWA levels to apply and by replacing JPEG 2000 with CCSDS-123-AC lower complexity encoder. By applying a lower number of RWA decomposition levels, we decrease not only the number of floating-point operations, but also the number of regression coefficients that have to be computed on-board and stored as side information. In this work, neither spatial sub-sampling nor a spectral components selection are proposed to alleviate the complexity of the regression operation block as explained in [3] and [7], although MLS-RWA could apply them too. Also, MLS-RWA could be combined with any other coding system.

## IV. DISCUSSION AND RESULTS

Table III reports the lossless coding performance in average bit-rate for PCA+JPEG2000, RWA+JPEG2000, CCSDS-123, M-CALIC, CCSDS-123-AC coding techniques -which are competitive coding techniques-, and our approach MLS-RWA+CCSDS-123-AC. For CCSDS-123 and CCSDS-123-AC coding techniques, 3 previous components are used in the prediction process. The entropy encoder used for CCSDS-123 is the sample adaptive, which is the entropy coder that attains higher lossless compression ratios. For CCSDS-123-AC and when encoding approximation coefficients with our approach, the number of prediction components is set to 3 too, because, as with the original image components, the approximation components are still highly correlated in

the spectral domain. For MLS-RWA+CCSDS-123-AC, the best performance of the predictor is achieved with different configurations depending on the sensor, as higher or lower statistical relationships can still remain within the residual components after RWA computation. Therefore, and only for our proposal, we report outcomes when 0 and 3 previous components are employed for predicting the residuals. The best coding performance is enhanced in bold. Our proposal's best coding gains with respect to each coding technique are reported within parenthesis. The last row reports the average of each coding technique; MLS-RWA+CCSDS-123-AC average value is computed only using the best results.

Comparing with coding techniques based on transforms, such as PCA+JPEG2000 and RWA+JPEG2000, we can observe that our proposal yields significant lower bit-rates for all the sensors, except for CA and UI scenes when applying RWA+JPEG2000. For CA scenes, no improvement is achieved, while an average loss of only 0.07 bpppc is produced for UI sensor. As mentioned, MLS-RWA+CCSDS-123-AC entails also a decrement of the computational cost. For CA and UI, our proposal only computes 6 and 14 RWA decomposition levels, letting aside 130 and 14 components for which neither a Haar-DWT nor a regression operation to estimate the details need be performed. On average, code-stream size reductions of, respectively, 23.56% and 2.23% between our proposal and PCA+JPEG2000 and RWA+JPEG2000 are achieved. Results for PCA+JPEG2000 are not provided for

UI and CI scenes due to their large number of spectral components, which makes unfeasible the PCA computation, as the covariance matrix and eigenvalues calculation, the matrix factorization and the amount of side information become prohibitive. For AG sensor, PCA's average side information requires 3.71 bpppc, yielding a final bit-rate of 7.69 bpppc.

M-CALIC and CCSDS-123 achieve quite competitive results at low computational complexity too, for instance, CCSDS-123 is, on average, about 0.1 bpppc worse than CCSDS-123-AC. However, our low complexity proposal MLS-RWA+CCSDS-123-AC improves, on average, by about 8.75%, 6.80%, and 6.00% as compared to M-CALIC, CCSDS-123 and CCSDS-123-AC, respectively.

Comparing with recently published coding techniques based on conventional recursive least-squares (and adaptations thereof) for uncalibrated and calibrated AVIRIS scenes, the best results reported in [10] are, respectively, 5.57 and 3.29 bpppc, while the best results reported in [11] are, respectively, 5.55 and 3.31 bpppc. These results are, respectively, about 0.1 and 0.2 bpppc better than those of MLS-RWA+CCSDS-123-AC, which is reasonable due to the trade-off between coding performance and computational complexity of [10] and [11].

### V. CONCLUSIONS

This paper introduces a lossless coding technique that provides superior coding performance than state-of-the-art coding techniques at low computational complexity. It is based on Regression Wavelet Analysis (RWA) followed by a recently presented Lightweight Contextual Arithmetic encoder prepended by CCSDS-123 prediction (CCSDS-123-AC). RWA removes the spectral redundancy by computing a Discrete Wavelet Transform and, in sequence, a light regression operation to estimate the detail coefficients from the approximation coefficients.

Different to what happens when coding RWA code-streams with JPEG 2000, applying the highest number of RWA decomposition levels with CCSDS-123-AC does not imply the best coding performance. To provide lower bit-rates, we developed a smart strategy to properly select the number of RWA decomposition levels that affords the highest coding gain, named Multi-Level Split RWA (MLS-RWA). By decreasing the number of levels and by replacing JPEG 2000 by a light arithmetic coder, our proposal also reduces the computational cost of the original RWA+JPEG200 approach.

Extensive experimental results over 27 hyperspectral scenes from 5 corpus sensors have been performed, indicating that MLS-RWA followed by CCSDS-123-AC outperforms CCSDS-123.0, M-CALIC, PCA+JPEG2000, CCSDS-123-AC

and RWA+JPEG2000, and provides significant average coding gains of 0.32, 0.42, 1.35, 0.28 and 0.10 bits-per-pixel-percomponent (bpppc), respectively, for lossless compression. Our approach yields very competitive results even when RWA is computed only for a single decomposition level. In this case, an average coding gain of at least 1.74 bpppc over RWA+JPEG2000 is obtained.

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