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## An unsupervised and probabilistic approach

# to Pavlov's dog experiment with OxRAM devices

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### Abstract

In this work, a potential basis for implementing unsupervised associative learning in two or more memristors within neuromorphic architectures is proposed. The experimental demonstration is carried out by means of emulating the Pavlov's dog classical conditioning experiment with two OxRAM devices, in which the dependence of the probability of association on test parameters, such as the pulse amplitude, is studied.

## Keywords: Associative learning, Memristors, Neuromorphic, OxRAM, Unsupervised Learning

#### 1. Introduction

Memristors are being widely investigated for their application as synaptic devices in neuromorphic architectures. Their characteristics allow merging computation and memory, which is of great interest when a bio-inspired approach is considered. With this purpose, learning models coming from psychobiology are being demonstrated concerning the programmable conductance that these devices present, which is identified as the synaptic weight. The ability of fine-tuning their conductivity state according to the features of the past electrical activity demonstrates their plasticity property. Unsupervised learning rules, which rely on the dependences of plasticity on time or frequency correlations between the pre and post-synaptic activities, have been already proven in single electronic devices in a large variety of memristive technologies [1-4]. However, there is still a lack of understanding on how bio-inspired local learning rules should be designed when the interaction between two or more memristors is considered. In the biological brain, complex cognitive processes arise from associative learning mechanisms, involving the causal interaction between multiple neuronal layers, and thus, of a large amount of synapses. The study of associative learning between electronic synapses would suppose a step towards the implementation of neuromorphic associative memories and hierarchical computing networks, able to store and recall symbolic knowledge, as occurs in the mammalian neural system.

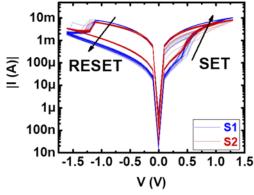
A simple case of associative learning can be found in the classical conditioning experiments initially conducted by I. Pavlov [5]. In classical conditioning, two stimuli are considered: one is the so-called unconditioned stimulus (US), and the second is the neutral stimulus (NS). The US triggers a response of the system, labelled as the unconditioned response (UR). On the other hand, the NS does not provoke the UR. It is through a stage of conditioning in which the NS is associated to US, so that the NS becomes a conditioned stimulus (CS), generating a system response similar to the UR. The experiment that Pavlov carried out was actually with dogs: the US was the sight of food, which made the dogs salivate (UR). The NS he employed was the ringing of a bell, which was neutral to the dogs in the sense that, only with its presence no salivation was induced. Pavlov discovered that, by consecutively ringing the bell when feeding the dogs, they would start responding similarly to both US (food) and NS (ringing of the bell), the latter becoming a CS. That is, they would salivate when hearing the bell without the presence of food, because the dogs associated it with their feeding time. This finding had great implications, being today the basis of the associative learning theory.

Electronic emulations of classical conditioning and Pavlov's dog test have actually been carried out with memristive devices, either using a single partially-volatile device [6], a single non-volatile device [7, 8], or a pair of volatile organic transistors with discrete CMOS neurons, being the latter focused on the implementation of a short-term associative memory [9]. In our work, we introduce an unsupervised electronic setup for studying a basic process of associative learning, involving the use of a pair of non-volatile OxRAM devices and being the test scheme analogous to the original Pavlov's dog experiment. Moreover, we propose to analyze the conditioning efficiency by establishing a probabilistic association criterion. This is motivated by, on the one hand, taking into account the device-level variability found in memristive technologies such as OxRAM, which is often considered as an issue. On the other hand, significant variability is also found in biological neural and synaptic populations, as well as in their plasticity property, yet this variability is thought to be a typical (and maybe necessary) feature for a healthy nervous system [10-12]. This is the main reason for which statistical methods and models have been successfully incorporated to the computational neuroscience research during the last decades [13]. Therefore, it is plausible to design probabilistic learning rules for their application in neuromorphic architectures considering the variability observed in the devices to be employed.

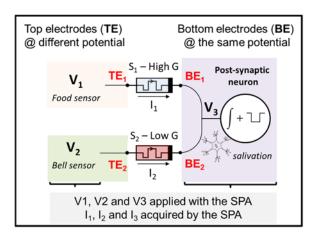
### 2. Materials and methods

## 2.1. Tested samples and setup description

The tested RRAM devices consist of 5x5µm² TiN-Ti-HfO<sub>2</sub>-W Metal-Insulator-Metal (MIM) structures. Details of their fabrication can be found in [14]. An example of their I-V characteristics is shown in Figure 1, in which bipolar resistive switching phenomena can be observed.



**Figure 1.** Examples of I-V characteristics of the tested samples, S1 (blue) and S2 (red). Resistive switching is described by two main processes: the SET process, which is the transition from a high resistance state to a lower one, and the RESET, which is the reverse behavior. Both samples present similar SET and RESET voltages.



**Figure 2.** Scheme of the experimental setup for the electronic Pavlov's dog experiment.  $V_1$  and  $V_2$  are the input signals of the system, connected to the post-synaptic neuron via two OxRAM devices,  $S_1$  and  $S_2$ . Initial conditions for the two samples are also displayed, being  $S_1$  at a high conductivity state, whereas  $S_2$  has a low conductivity state.

The scheme of the employed characterization setup for implementing associative learning is shown in Figure 2, involving a four-point manual probe station and a semiconductor parameter analyzer controlled via GPIB. In Figure 2, two RRAM devices represent the synaptic connection (S1, S2) between two pre-synaptic sensors and a post-synaptic neuron (POST), which S1 and S2 have in common. The signals coming from the sensors are identified as  $V_1$  and  $V_2$ , which are the inputs of the system, and share the same amplitude value,  $V_d$ . On the other hand,  $V_3$  represents the feedback signal triggered by the POST, and provides also a way to measure the response of the system. All of the employed signals are applied with a semiconductor parameter analyzer (SPA) Agilent 4156C. The smart control of the SPA is employed for emulating the POST as an integrate-and-fire neuron. The current flowing through S1 and S2 is collected by the SPA, and the amount of charge that the neuron is receiving is computed and accumulated over time. When the accumulated charge reaches a defined threshold  $V_3$ — $V_4$  and a determined pulse-width PW. Since this post-synaptic pulse represents a response to the presynaptic activity, two different situations can occur for each of the synapses: a voltage drop of  $V_4$  if there is some pre-synaptic activity coming from the sensor, or a voltage drop of  $V_4$  if there is no pre-synaptic signal.

## 2.2. Test scheme

The electrical classical conditioning scheme that we propose consists in emulating the Pavlov's dog test. The goal is to associate the  $V_1$  and  $V_2$  inputs through experience, so that the activation of the POST (salivation) is achieved not only with the presence of  $V_1$  (food), but also with the single application of  $V_2$  (bell ringing). This is because during the trials  $V_2$  appears paired with  $V_1$ , so an associative process between the inputs takes place. Initially, S1 has a high conductivity level, since the dog salivation is related to the sight of food, whereas S2 has a low conductivity, because the ringing of the bell is assumed to not cause salivation. The whole learning sequence is represented in Figure 3. The voltage drops at S1 ( $V_{S1}$  in Figure 3.a) and S2 ( $V_{S2}$  in Figure 3.b), which are defined as  $V_{S1} = V_1 - V_3$  and  $V_{S2} = V_2 - V_3$ , are plotted over time. Next, the  $V_1$  (US) and  $V_2$  (NS  $\rightarrow$  CS) waveforms (Figure 3.c and Figure 3.e, respectively) are plotted over time. The neuron response  $|V_3|$  is also depicted in Figure 3.g, symbolizing the dogs' salivation. The currents through S1 ( $I_1$  in Figure 3.d) and S2 ( $I_2$  in Figure 3.f) which were measured during one of the tests are also shown as an example, which were recorded only when the POST was firing a pulse, in order to speed the performance of the tests.

First of all, a current-controlled forming process is performed on the S1 and S2 devices, which are located within the same dice. Next, five compliance-free RESET and SET processes are induced to each of the samples (not shown in Figure 3), in order to set their conductivity states within a certain range, following the procedure of the previous works [A-B]. The maximum voltage applied to the sample with the S1 role was of  $V_{set}=2V_d$ , whereas in the case of S2, it was of  $V_{set}=V_d$ . In this way, the conductivity state of S1 was set to a high value (G>30G<sub>o</sub>), whereas S2 was set to a low value (G≤5G<sub>o</sub>). The learning sequence starts with the single application of  $V_1=V_d$ 

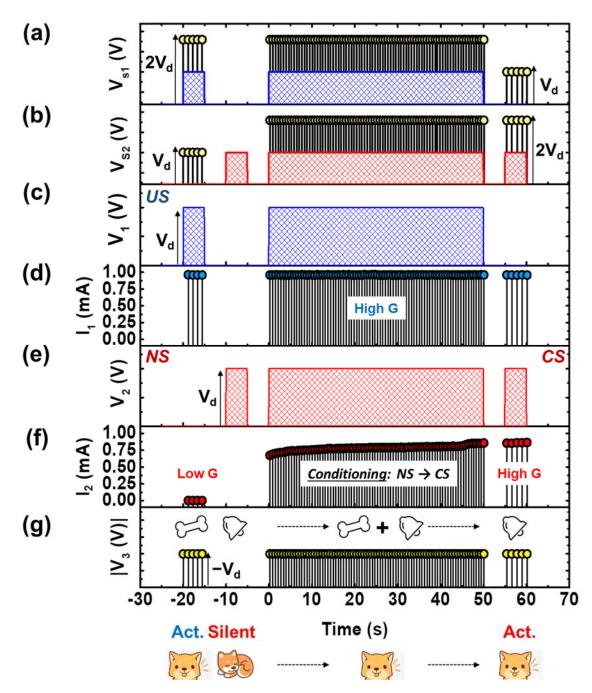


Figure 3. Particular case of voltage and intensity evolutions over a learning sequence where the association process took place. The bottom part of the figure shows an analogy between the POST activity and the Pavlov dog's behavior. (a) Voltage drop at S1, defined as  $V_{s1} = V_1 - V_3$ . (b) Voltage drop at S2, defined as  $V_{s2} = V_2 - V_3$ . (c) Voltage waveform  $V_1$  corresponding to the US, given by sensor 1. Its high level is of  $V_d$ . (d) Intensity flowing through S1, measured only when the POST triggered a spike. The conductivity state of  $S_1$  is also indicated in  $G_0$  units, being of 35.36 $G_0$ , corresponding to a high conductivity state. (e) Voltage waveform  $V_2$  with a high level of  $V_d$ .  $V_2$  corresponds to the NS, given by sensor 2, which after the conditioning stage becomes CS if the association process has occurred. (f) Intensity flowing through S2, measured only when the POST triggered a spike. The conductivity state of S2 is also indicated in  $G_0$  units, being of  $0.063G_0$  before the conditioning stage, and of  $31.67G_0$  after the association process, corresponding to low and high conductivity states, respectively. (g) Voltage waveform  $|V_3|$  corresponding to the POST activity, given as spikes with amplitude  $-V_d$ . In this case, the POST responds first only to the presence of  $V_1$ , whereas after the association process, it also responds to  $V_2$ .

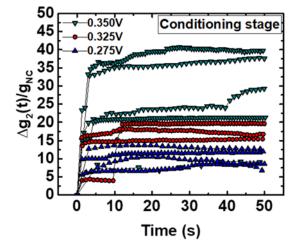
(-20s < t < -15s), and then of  $V_2 = V_d$  (-10s < t < -5s). The POST responds to  $V_1$  because S1 presents a high conductivity state from the beginning of the test. On the other hand, no firing is expected to occur when only  $V_2 = V_d$  is applied, since it represents the NS, and S2 has a very low conductivity. Next, both  $V_1$  and  $V_2$  are active together during a training time of  $t_{tr} = 50s$ . Because of the current through S1 is high, eventually, the accumulated charge in POST reaches  $Q_{thr}$ , so that it fires a voltage pulse as a response. The voltage drop at S2, which has a magnitude of  $2V_d$ , causes S2 to increase its conductivity. This event may occur multiple times during this phase, as shown in Figure 3. The value of  $V_d$  has to be carefully chosen as to induce a positive

change in S2 conductivity only when  $V_2$  and the neuron pulses are overlapping. That is, the voltage drop at S2 of  $2V_d$  has to be large enough to induce a SET process, but a voltage drop of magnitude  $V_d$  in device S2 should not. On the other hand, the conductivity state of S1 remains constant during the whole test, since a voltage drop of  $2V_d$  is not large enough as to increase its conductivity state above its initial value, which is already large. This stage with paired  $V_1$  and  $V_2$  is the core of the classical conditioning experiment, because it is when associative learning, which implies a change in S2 conductivity when  $V_1$  and  $V_2$  are active simultaneously, occurs. However, this does not mean that necessarily  $V_2$  and the POST will be fully connected in a single learning phase, with S2 presenting a conductivity level similar to the one of S1. Different levels of association might be achieved over time by playing with the test conditions, such as  $V_d$ , since S2 can display many conductivity levels.

Finally,  $V_2=V_d$  is applied as a single input (55s<t<60s), and the current through S2 is high enough to trigger the POST response, which is similar to the response evoked by single  $V_1$  application, so  $V_2$  has been effectively associated to  $V_1$ . In this work, we tested different  $V_d$ , ranging from 0.2V up to 0.4V, while keeping the rest of test parameters fixed:  $Q_{thr}=0.1$ mC and PW=0.1ms.

#### 3. Results and Discussion

The relative conductivity change  $\Delta g_2(t)$  of  $S_2$  during the conditioning stage is defined as the difference between the measured conductivity  $g_2(t)$ , and the conductivity before the conditioning stage,  $g_{NC}$ . In Figure 4, a few examples of the evolution over time of the relative conductivity change normalized to  $g_{NC}$  ( $\Delta g_2(t)/g_{NC}$ ) measured on the same device are depicted. Each color represents a different value of the employed  $V_d$ . Despite of using the same test parameters, different  $\Delta g_2(t)$  wav eforms are observed during the trials due to device-level variability. In order to study the effects of the test parameters on the association process, the cumulative distribution functions (cdf) of the conductivity values observed after conditioning,  $g_{CC} = \Delta g_2(t = 55s)$ , are shown in Figure 5, where each cdf corresponds to a different  $V_d$ . Results in Figure 4 and 5 show that the associative process has a dependence with the employed  $V_d$ . As to provide a probabilistic interpretation of the conditioning efficiency, an association criterion in terms of a conductivity ratio threshold (CCR<sub>th</sub>) is defined, assuming that if the conditioning conductivity ratio CCR= $g_{CC}/g_{NC}$  is larger or equal than the CCR<sub>th</sub> (CCR≥CCR<sub>th</sub>), the conditioning stage has been effective.

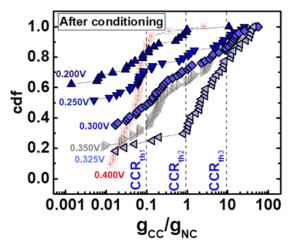


**Figure 4.**  $\Delta g_2(t)/g_{NC}$  examples for different  $V_d$  levels during the conditioning stage. Each curve is related to the  $I_2$  values measured when POST was firing a pulse for different  $V_d$  values, performed on the same device.

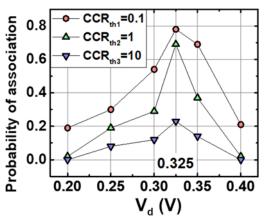
In Figure 5, three criteria are marked: CCR<sub>th</sub>=0.1, CCR<sub>th</sub>=1 and CCR<sub>th</sub>=10. The probability of association is computed as the number of trials where a particular association criterion CCR<sub>th</sub> is met, corresponding to the number of trials in which the CCR is above CCR<sub>th</sub>, and corresponds to:

Probability of association =  $1-P(CCR \ge CCR_{th})$ 

The probabilities of association as a function of the tested  $V_d$  values are depicted in Figure 6. It can be observed that the probability of association increases with increasing  $V_d$ , up to the maxima  $V_d$ =0.325V. Above this value, any association process can take place: the voltage drop of  $V_d$ , originated when V2 is active before the training stage (-10s<t<-5s) is large enough to evoke a SET process to S2 on its own, being its conductivity state increased in the wrong scenario.



**Figure 5.** Cdfs of the relative conductivity change achieved after the conditioning stage,  $g_{CC}/g_{NC}$ , for differents  $V_d$ . The associative process requires a proper choice of  $V_d$ . Three association criteria examples are depicted:  $CCR_{th1}$ =0.1,  $CCR_{th2}$ =1 and  $CCR_{th3}$ =10. Interpretation of these data is given in Figure 6.



**Figure 6.** The association probability for three different criteria of association ( $CCR_{th} = 0.1,1$  and 10) is represented as a function of  $V_d$ . Probability increases with increasing  $V_d$  up to a limit were no association process takes place, since S2 conductivity changes before any pairing between V1 and V2 is made. Maxima are found at  $V_d$ =0.325V.

#### 4. Conclusions

An associative memory presents the ability to learn and recall the relationship between unrelated items, being the interaction between neurons and the synaptic plasticity their basis. Animal-beings are able to develop non-instinctive behaviors and establish symbolic relationships between facts or events through learning processes such as classical conditioning, observed by I. Pavlov and his dogs. Taking advantage of the synaptic plasticity property of memristive devices, the study of fundamental associative learning rules would suppose a step towards the implementation of neuromorphic associative memories and hierarchical computing networks. In this work, an electronic version of the Pavlov's dog experiment to be employed in two or more memristive devices is proposed, as a possible basis for implementing unsupervised associative learning within neuromorphic architectures. The experiments show that the probability of having the post-synaptic neuron responding to the neutral stimulus when it is the only active input is highly increased after the conditioning stage, in analogy to Pavlov's dog behavior. Because of device-level variability, an association criterion has to be defined. We tested the association probability dependence on the amplitude of the employed voltage waveforms, and found that the association level reached during conditioning increases with this parameter, up to a certain value, for which any association learning process cannot occur.

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