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Microfluidic Reflective-Mode Differential Sensor Based on Open Split Ring Resonators (OSRRs)

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This paper proposes a differential sensor based on a pair of open split ring resonators (OSRR) operating in reflection. The output signal is thus the differential reflection coefficient of both resonators, intimately related to their dielectric loading. Thus, for identical loads in both sensing resonators, the individual reflection coefficients are equal, thereby providing an ideally null output signal. By contrast, when unequal dielectric loads truncate the symmetry, the reflection coefficients are different, resulting in a differential output signal related to the level of asymmetry. In order to ease the measurement of the output signal, a rat-race hybrid coupler is used. The OSRR sensing loads are connected to the coupled ports of the hybrid coupler, whereas the input signal is injected to the Δ -port, and the output signal is collected at the isolated port (Σ -port). By this means, the output signal, i.e. the differential reflection coefficient between both sensing loads, is obtained from the transmission coefficient of a simple two-port structure. For experimental validation purposes, the sensor is applied to the measurement of isopropanol content in aqueous solutions, and for that purpose the sensitive regions are equipped with microfluidic channels.

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I. INTRODUCTION

Microwave resonant sensors constitute a research topic that has experienced a significant growth in recent years. In particular, many efforts have been (and are being) dedicated to the development of planar resonant sensors. The main reason is the low profile and low cost of such sensors, including the possibility to implement flexible or conformal devices, of interest in many sensing applications. Moreover, electrically small planar resonators are, in general, very sensitive to the properties of their surrounding medium; consequently, planar sensors based on electrically small resonators are key candidates for the measurement of variables requiring high sensitivity. Typical electrically small resonators of interest for high sensitive measurements include the split ring resonator (SRR) [1], the complementary split ring resonator (CSRR) [2,3], the open split ring resonator (OCSRR) [4], the open complementary split ring resonator (OCSRR) [5], the electric LC resonator (ELC) [6], the S-shaped split ring resonator (S-SRR) [7], the step impedance shunt stub [8], etc.

Frequency variation is the most common sensing mechanism in resonant sensors [9-18]. The output variable in such sensors is the resonance frequency (and eventually the peak, or notch, magnitude), determined by the properties of the surrounding medium. Frequency variation sensors have been applied to the measurement of displacements and velocities [9,18], but this type of sensors is of special interest for dielectric characterization of solids and liquids [10-17]. Typically these sensors require calibration and are subjected to cross sensitivities, caused, e.g., by changing environmental factors, such as temperature or humidity. To alleviate this limitation, sensors based on symmetry properties have been proposed [19-21], as far as symmetry is invariant under variations in ambient conditions, at least at the scale of the sensing resonant elements. Among the sensors based on symmetry properties, we can distinguish between coupling modulation sensors [19,22-29], frequency splitting sensors [30-36], and differential-mode sensors [37-48].

Coupling modulation sensors consist of a transmission line loaded with a symmetric resonator, symmetrically loading the line. The combination of line and resonant element should not be arbitrary. Namely, these elements must exhibit symmetry planes of different electromagnetic nature, i.e., one a magnetic wall and the other one an electric wall [20,21]. For instance, a microstrip line loaded with a SRR working at the first resonance frequency satisfies the previous requirement, as far as the symmetry plane of the line is a magnetic wall, whereas the symmetry plane of the SRR (at the fundamental resonance) is an electric wall. Under these conditions, line-to-resonator coupling is prevented, and the structure is transparent to signal propagation. However, if symmetry is disrupted, e.g., by means of a lateral displacement or rotation, or by means of an asymmetric dielectric loading, line-to-resonator coupling arises, and a notch in the transmission coefficient, useful for sensing purposes, appears. Most of these sensors have been applied to measure linear and angular displacements and velocities [19,22-29].

In frequency splitting sensors, a pair of resonant elements (not necessarily symmetric) are used. The sensors are implemented by means of a transmission line symmetrically loaded with the pair of resonators, coupled (or connected) to the line. Under these circumstances, a single notch in the transmission coefficient (at the fundamental resonance frequency) arises. However, by truncating symmetry, two notches appear, and the frequency difference between them is related to the level of asymmetry. Therefore, these structures are also useful for sensing, and they have been mainly applied to dielectric characterization [34-36].

Although the previous frequency splitting sensors use two resonators for sensing, they cannot be considered true differential sensors. In differential-mode sensors, two independent sensing structures are used, one for the reference (REF) measurand, or REF sample, or REF material, and the other one for the measurand (material or sample) under test (MUT). There are many examples of differential sensors, and most of them are applied to dielectric characterization [37-48]. The differential dielectric constant, i.e., the difference in the dielectric constant between the REF and MUT samples can be inferred from the phase difference of a pair of meandered lines, related to the difference in their respective phase velocities caused by dielectric loading [39,44]. Alternatively, differential permittivity sensors based on a pair of lines loaded with resonant elements have been considered [40-42,44,45]. The difference in the transmission coefficient of both lines (the output variable) can be inferred from the cross-mode transmission coefficient (provided the two lines are uncoupled) [40,42]. In a recent paper [47], it was demonstrated that such cross-mode transmission coefficient can be inferred from a two-port structure consisting of a pair of rat-race hybrid couplers conveniently connected to the differential sensor. Moreover, it was demonstrated in that paper that by conveniently loading the isolated ports of the rat-race coupler, the sensitivity can be enhanced.

In [37-47], differential sensing is based on measuring the transmission coefficient of both sensing elements, either through a 4-port measurement focused on obtaining the cross-mode transmission coefficient, or by means of the abovementioned two-port circuit, with the four-port differential sensor sandwiched between the pair of rat-race couplers. In this paper, we consider another approach, based on measuring the reflection coefficients of a pair of sensing elements. Such sensing elements are OSRRs (used in [48] for differential-mode transmission based sensors). Other reflective-mode sensors have been reported in the literature [41]. However, in this paper, the output variable (i.e., the differential reflection coefficient between the sensing loads) is inferred by connecting the pair of sensing loads to the coupled ports of a rat-race coupler. The transmission coefficient of the resulting two-port structure is proportional to the differential reflection coefficient, as it will be shown, thereby providing a simple way of obtaining the output variable. As compared to the work [47], the complete circuit is very simple since a single rat-race coupler is used in the sensor presented in this work.

II. THE PROPOSED SENSOR, WORKING PRINCIPLE, AND MODELLING

Figure 1 depicts the topology of the proposed sensor. The sensing elements are two identical open split ring resonators (OSRRs) grounded by one of their extremes, and connected to the isolated ports of a rat-race hybrid coupler by the other termination. The resulting structure is a two-port device, where the input signal is injected to the Δ -port of the coupler, and the output signal is collected at the isolated port (Σ -port). In practice, in order to avoid interfering the functionality of the rat-race coupler, the sensing regions on top of the OSRRs must be separated from the isolated ports of the rat-race. Consequently, transmission line sections between the sensing elements (OSRRs) and the isolated ports of the coupler are needed, as depicted in Fig. 1. If the sensor is devoted to the differential measurement of liquids properties, then fluidic channels, not included in Fig. 1, should be added on top of the OSRR sensitive regions.

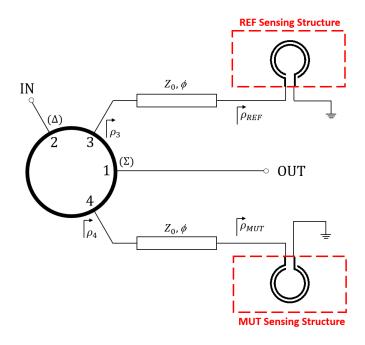


Fig. 1. Topology of the proposed reflective-mode differential sensor.

Let us call ρ_3 and ρ_4 to the reflection coefficients seen from ports 3 and 4 of the coupler (isolated ports), see Fig. 1. The transmission coefficient between the input and the output port of the structure, at the operating frequency, f_0 , of the coupler, is given by

$$S_{12} = -\frac{j}{2} \left(\rho_3 - \rho_4 \right) \tag{1}$$

i.e., it is proportional to the differential reflection coefficient between both sensing loads. If we consider that the characteristic impedance of the transmission line sections between the OSRRs and the isolated ports of the coupler is identical to the reference impedance of the ports (i.e., $Z_0 = 50\Omega$), such lines do not modify the magnitude of the reflection coefficients ρ_{REF} and ρ_{MUT} . The presence of such identical lines merely introduces a phase factor in the reflection coefficients given by 2ϕ , where ϕ is the electrical length of the line sections at f_0 . Thus, the transmission coefficient (1) can be expressed as

$$S_{12} = -\frac{j}{2} e^{-j2\phi} \left(\rho_{REF} - \rho_{MUT} \right) \tag{2}$$

where ρ_{REF} and ρ_{MUT} is the reflection coefficient seen from the input termination of the OSRR corresponding to the REF and MUT samples, respectively.

An accurate circuit model of the OSRRs is depicted in Fig. 2(a). In such model, L, C_u and G_u account for the inductance, capacitance and conductance, respectively, of the bare (i.e., unloaded) resonator. The presence of the REF and MUT samples on top of their respective OSRRs is taken into account by means of the capacitances C_{REF} and C_{MUT} , and by means of the conductances G_{REF} and G_{MUT} . In [48], the capacitors C_1 and C_2 were not considered. These capacitances have small effect on the transmission coefficient, as it was demonstrated in [48]. However, for an accurate prediction of the reflection coefficient, these capacitors should be included, as reported in [49]. To validate the model, we have considered an unloaded OSRR with the topology and substrate parameters indicated in Fig. 2. The frequency response (transmission and reflection coefficients), inferred by electromagnetic simulation using $K_{eysight}$ $M_{omentum}$,

is depicted in Fig. 3. Using this response, we have extracted the parameters of the circuit model according to the method indicated in [20] (see the values in the caption of Fig. 3). The response inferred from circuit simulation, using the schematic simulator of the *Keysight ADS* software package, is also depicted in Fig. 2, where it can be appreciated the good agreement with the electromagnetic simulation up to frequencies beyond the OSRR resonance.

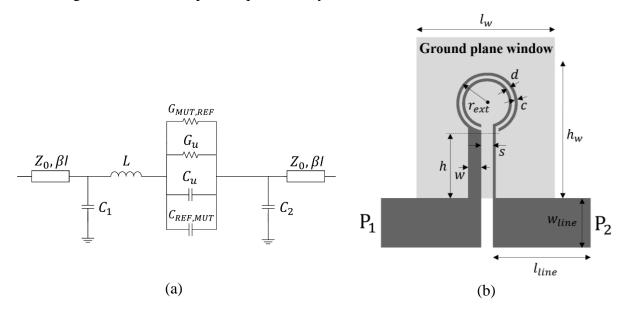


Fig. 2. Circuit model of the pair of sensing loads (loaded OSRRs) (a) and specific topology used to validate the circuit model (b). Dimensions are (in mm): $r_{ext} = 2.1$, d = c = 0.2, s = 0.8, w = 0.9, h = 4.4, $l_{line} = 30$ and $w_{line} = 3.4$. Dimensions of the ground plane window are (in mm) $l_w = 8.2$ and $h_w = 10.8$. The considered substrate is the *Rogers RO4003C* with thickness h = 1.524 mm, dielectric constant $\varepsilon_r = 3.55$ and loss tangent $\tan \delta = 0.0022$.

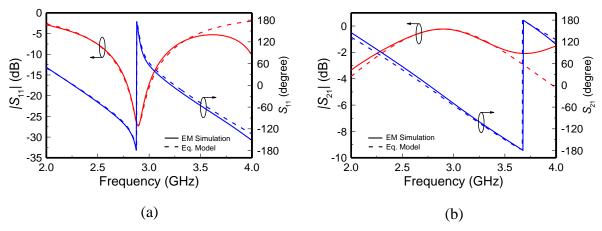


Fig. 3. Response of the OSRR of Fig. 2. (a) Reflection coefficient; (b) transmission coefficient. The extracted parameters of the bare OSRR are $C_u = 0.424$ pF, L = 9.228 nH, $G_u = 0.124$ mS, $C_1 = 0.429$ pF, $C_2 = 0.625$ pF, $Z_0 = 50$ Ω and $\beta l = 118.7^{\circ}$.

The results of Fig. 2 validate the proposed model. However, such model is complex for analysis purposes. The interest is to carry out an analysis useful to determine the effects of the OSRR circuit parameters (mainly L and C_u) on device sensitivity, the fundamental performance parameter of any sensor. For this main reason, we will neglect the capacitances C_1 and C_2 in the following analysis.

III. ANALYSIS

The subject of the analysis is thus the grounded OSRR (Fig. 1). Note that by grounding the OSRR, the effect of C_2 is indeed eradicated. As for C_1 , though this capacitance is necessary to accurately predicting the behaviour of the OSRR, we will neglect it in order to ease the analysis, as mentioned in the preceding paragraph; however, the main conclusions inferred from the analysis will be verified by numerical calculation and simulation of the full circuit model.

We would like to mention that the analytical calculation of ρ_{REF} and ρ_{MUT} (and hence S_{12} , the output variable) from the circuit model of the OSRRs by excluding C_1 (or even by including it) is feasible. However, in order to conclude what is the convenient strategy for sensitivity optimization, the resulting expressions are cumbersome. Thus, we have opted to proceed following a different approach. Such approach consists of calculating the real and the imaginary parts of the input impedance of the OSRR at the operating frequency, and then separately consider the effects of varying the OSRR conductance, $G = G_u + G_{REF}$, maintaining the value of the capacitance $C = C_u + C_{REF}$, and viceversa. It should be clarified at this point that by variation in either G or C we actually refer to the difference in the conductance or capacitance between the REF and SUT samples, i.e., $\Delta G = G_{REF} - G_{MUT}$ and $\Delta C = C_{REF} - C_{MUT}$. The first case obeys, e.g., to a variation of electrolyte content (solute) in a liquid such as DI water (solvent and REF sample), where the main effect is the modification of the conductivity of the solution (MUT) and hence the conductance. At small electrolyte concentrations, the dielectric constant of the solution does not experience significant variations by varying the solute content (this justifies the invariability of C in this case). The second case (variation in C maintaining G unaltered) is more difficult to identify with a real scenario, despite the fact that in many cases low-loss samples are considered, where the conductance G can be neglected. Certainly, in most studies of differential sensing of material properties or composition, both the dielectric constant and the loss factor of the MUT, as compared to the REF sample, simultaneously vary, and, consequently, C and G do too. However, if the strategy for sensitivity optimization coincides for the two considered cases, we can extrapolate it for the general case of varying C and G.

Let us consider that the output variable is the modulus of the transmission coefficient, proportional to $\rho_{REF} - \rho_{MUT}$. The sensitivity with ΔG or ΔC is defined as

$$S_{\Delta G} = \frac{1}{2} \frac{\left| \rho_{REF} - \rho_{MUT} \right|}{\Delta G} \tag{3a}$$

$$S_{\Delta C} = \frac{1}{2} \frac{\left| \rho_{REF} - \rho_{MUT} \right|}{\Delta C} \tag{3b}$$

and to enhance the sensitivity, it is necessary to achieve the maxim possible variation in the reflection coefficients between the REF and MUT samples, for a given value of the differential conductance ΔG or capacitance ΔC . This is equivalent to maximize the variation in both the real and the imaginary parts of the impedance. Let us then consider both cited cases separately.

A) Variation in G, constant C

Let us first consider that the capacitance associated to the REF and MUT samples is identical, and that the operating (angular) frequency is $\omega_0 = \omega_{REF} = (LC)^{-1/2}$. The impedance of the OSRR is

$$Z = \frac{1 - LC\omega^2 + LG\omega j}{G + j\omega C} \tag{4}$$

At $\omega = \omega_0$, the impedance can be expressed (separating the real and imaginary parts) as

$$Z_{\omega_0} = \frac{G}{G^2 + \frac{C}{L}} + \frac{LG^2 \omega_0}{G^2 + \frac{C}{L}}$$
 (5)

Let us now analyse the effects of varying G on the real and the imaginary parts of the above impedance. For that purpose, the derivative with respect to G is obtained, i.e.,

$$\frac{\partial Re\{Z_{\omega_0}\}}{\partial G} = \frac{-G^2 + \frac{C}{L}}{\left(G^2 + \frac{C}{L}\right)^2} \tag{6a}$$

$$\frac{\partial Im\{Z_{\omega_0}\}}{\partial G} = \frac{2CG\,\omega_0}{\left(G^2 + \frac{C}{L}\right)^2} \tag{6b}$$

Inspection of 6(a) reveals that the real part of the impedance exhibits a maximum for $G = (C/L)^{1/2}$, where the value of the real part of the impedance at the operating frequency is $\frac{1}{2}[(L/C)^{1/2}]$. For small values of G as compared to $(C/L)^{1/2}$, the usual situation in moderate and low-loss materials (the case of interest in this paper), the derivative increases with L/C. This means that increasing the ratio L/C (the product is fixed by the value of ω_0) has the effect of enhancing the variation of the real part of the impedance of the OSRR when G varies, and this favours sensitivity. Concerning the imaginary part (6b), it is a monotonically increasing function with G, with $Im\{Z_{\omega_0}\} = 0$ for G = 0, and $Im\{Z_{\omega_0}\} = L\omega_0$ for $G \to \infty$. Nevertheless, the range of G of interest is $G << (C/L)^{1/2}$, where the derivative increases with the ratio L/C. Therefore, from this simple analysis, it is clear that in order to enhance the sensitivity of the output variable with G (considering C constant), it is necessary to increase the ratio L/C as much as possible.

B) Variation in C, constant G

In this case, the impedance of the OSRR at $\omega = \omega_0$ is

$$Z_{\omega_0} = \frac{G}{G^2 + \omega_0^2 C^2} + \frac{LG^2 \omega_0 - C \omega_0 + LC^2 \omega_0^3}{G^2 + \omega_0^2 C^2} j$$
 (7)

Note that, in (7), C is the variable, and only for $C = C_u + C_{REF} \equiv C_0$, the term $LC\omega_0^2 = 1$. Also, note that if ω_0 is set to a certain value, the real part of the impedance does not depend on the ratio L/C_0 . Such real part is a monotonically decreasing function with C, where $Re\{Z_{\omega_0}\} = 1/G$ for C = 0, $Re\{Z_{\omega_0}\} = 0$ for $C \to \infty$, and $Re\{Z_{\omega_0}\} = G/(G^2 + \frac{C_0}{L})$ for $C = C_0$. Let us now analyse the effects of varying C in the vicinity of C_0 on the imaginary part of the impedance. The derivative with C is

$$\frac{\partial Im\{Z_{\omega_0}\}}{\partial C} = \frac{-G^2 + C^2 \omega_0^2}{(G^2 + \omega_0^2 C^2)^2} \ \omega_0 \tag{8}$$

and the value at $C = C_0$, the point of interest, is found to be

$$\left. \frac{\partial Im\{Z_{\omega_0}\}}{\partial C} \right|_{C=C_0} = \frac{-G^2 + \frac{C_0}{L}}{\left(G^2 + \frac{C_0}{L}\right)^2} \,\omega_0 \tag{9}$$

For $G \ll (C/L)^{1/2}$, the derivative is positive and it increases with the ratio L/C_0 . Thus, we obtain the same conclusion as in case A. Increasing the ratio L/C_0 produces larger variation of the imaginary part of the impedance by varying C, larger variation in the reflection coefficient, and, therefore, in the sensitivity.

It is interesting to note that if $G \neq 0$, the capacitance that nulls the imaginary part of the impedance at ω_0 is no longer C_0 , but

$$C = \frac{1 \pm \sqrt{1 - 4L^2 G^2 \omega_0^2}}{2L\omega_0^2} \tag{10}$$

as it is inferred by forcing the numerator of the imaginary part of (7) to be zero. Indeed, there are two solutions for the capacitance, one of them very close to $C = C_0$ (provided G is very small), and the other one very close to C = 0. It is also interesting to comment that for the ideal situation of $G \to 0$ (lossless case), it is very simple to justify that the sensitivity increases with the ratio L/C_0 . The reason is as follows: at ω_0 , the impedance seen from the input port of the OSRR is a short-circuit; consequently, the reflection coefficient is (ideally) -1. Since the modulus of the reflection coefficient is always 1 (due to the lack of losses), enhancing the sensitivity requires that the OSRR reactance at ω_0 changes as much as possible by varying C. For that purpose, a peaked (i.e., narrow) reactance in the vicinity of ω_0 is needed, and this is achieved if L/C_0 is large.

C) Validation

According to the previous analysis, it can be concluded that the OSRR must be chosen with the largest possible ratio between its inductance and its capacitance (although geometrical constraints limit, in practice, such ratio). Nevertheless, the analysis has been carried out by simplifying the circuit model of the OSRR, i.e., by neglecting C_1 (the effects of C_2 are null since this capacitance is short-circuited to ground). Therefore, validation by considering the complete circuit model is necessary. For that purpose, we have considered the circuit parameters of the OSRR topology of Fig. 2, extracted from the electromagnetic simulation of the frequency response, and indicated in the caption of Fig. 3. We have considered two different scenarios. In one case, we have modified the conductance of the MUT OSRR, leaving unaltered the one of the REF OSRR. In the other case, the variation corresponds to the capacitance. The idea in both cases has been to obtain the output variable of the sensor, $|S_{12}|$, by considering the ratio L/C_0 as a parameter. The specific procedure has been numerical calculation of expression (2) using MATLAB. The considered phase, at f_0 , of the pair of connecting lines is $\phi = 118.7^{\circ}$. The reflection coefficients seen from the input ports of the OSRRs are given by the well-known expressions

$$\rho_{REF} = \frac{Z_{REF} - Z_0}{Z_{REF} + Z_0} , \quad \rho_{MUT} = \frac{Z_{MUT} - Z_0}{Z_{MUT} + Z_0}$$
 (11)

where the impedance of the REF OSRRs, including C_1 , is

$$Z_{REF} = \frac{1 - LC\omega_0^2 + LG\omega_0 j}{G(1 - LC_1\omega_0^2) + j\omega_0(C + C_1 - LCC_1\omega_0^2)}$$
(12)

with $G = G_u + G_{REF}$ and $C = C_u + C_{REF}$. An identical expression for the impedance of the MUT OSRR is obtained (a simple replacement of the sub-indexes REF with MUT is needed).

Figure 4 depicts the variation of $|S_{12}|$ as a function ΔG , parametrized by L/C (where L and C must satisfy $LC = \omega_0^{-2}$). It is appreciated from the figure that the variation of the output variable is stronger as L/C increases, as predicted in the previous analysis based on the simplified circuit model. By considering the variation in the capacitance of the MUT sample as compared to the one of the REF sample, the effect of the ratio L/C is exactly the same (Fig. 5). Therefore, these numerical results depicted in Figs. 4 and 5 confirm the previous analysis based on an approximate model of the OSRR: increasing the ratio L/C has the effect of optimizing the sensitivity of the sensor. With this concluding remark in mind, we have designed the sensing OSRRs of the reported sensing structure, to be discussed in the next section.

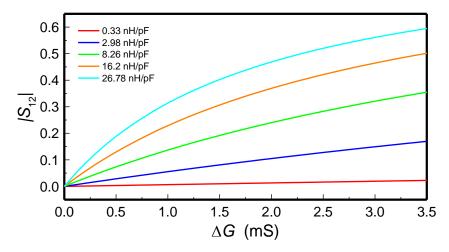


Fig. 4. Variation of $|S_{12}|$ with ΔG at $f_0 = 2.894$ GHz for different values of L/C.

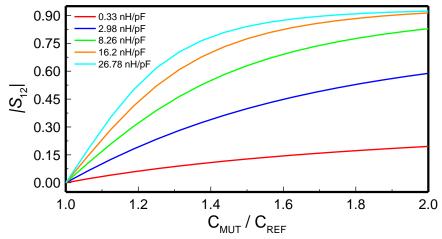


Fig. 5. Variation of $|S_{12}|$ at $f_0 = 2.894$ GHz with the capacitance of the MUT as compared to the REF capacitance. REF and MUT conductance are identical and equal to 0.122 mS. Note that when C_{REF} and C_{MUT} are equal, the modulus of the cross-mode transmission coefficient is zero (perfect symmetry case).

IV. SENSOR DESIGN AND FABRICATION

The reflective-mode differential sensor will be applied to the measurement of solute concentrations in solutions of DI water. For this reason, fluidic channels must be added on top of the OSRRs, the sensitive regions. The topology of the sensing OSRRs is indeed the one depicted in Fig. 2(b), where it can be appreciated that the arms of the OSRRs are narrow and substantially separated in order to achieve a small capacitance and a large inductance (the requirement to obtain good sensitivity). However, we have replaced the short-circuits to ground of the OSRRs with quarter-wavelength open-ended lines (with length l_{inv}), thereby avoiding the use of vias. The photograph (top view) of the sensor by excluding the fluidic channels and mechanical accessories is depicted in Fig. 6(a), whereas Fig. 6(b) shows a perspective view of the complete differential sensor. The sensor structure, including the rat-race coupler, connecting lines, open-ended lines and access lines, has been fabricated by means of a drilling machine (LPKF-H100 model), and the considered substrate is the one indicated in the caption of Fig. 2. The fluidic channels and the necessary mechanical accessories are identical to those reported in [48], and therefore the details are not given in the present paper, with the exception of channel dimensions, indicated in the caption of Fig. 6 for completeness. We would like to emphasize that, similar to [48], the sensor has been protected by means of a dry film, in order to avoid liquid absorption by the substrate.

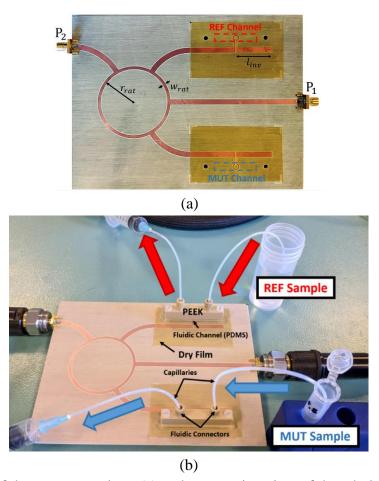


Fig. 6. Top view of the sensor topology (a) and perspective view of the whole fabricated sensor (b). OSRR dimensions and substrate parameters are those indicated in the caption of Fig. 2. The other sensor dimensions (in mm) are $l_{inv} = 23.473$, $w_{rat} = 1.8474$ and $r_{rat} = 23.3$. Channel dimensions (in mm) are $h_{ch} = 1.5$ mm (height), $l_{ch} = 26$ mm (length), and $w_{ch} = 4.6$ mm (width).

The resonance frequency of the bare OSRRs is $f_0 = 2.894$ GHz. However, by loading the designed OSRRs with DI water, the frequency is reduced to $f_0 = 1.8$ GHz (nominal value inferred from electromagnetic simulation). In this study, the REF sample is DI water, and, consequently, the operating frequency of the sensor is 1.8 GHz. This frequency determines the dimensions of the rat-race coupler, as well as the dimensions of the pair of connecting lines and quarter-wavelength open-ended lines (indicated in the caption of Fig. 6).

V. EXPERIMENTAL RESULTS AND COMPARISON TO OTHER SENSORS

The functionality of the designed and fabricated sensor has been validated by considering solutions of isopropanol in DI water (DI water is the REF material, as indicated above). Thus, we have injected DI water in the REF channel, whereas in the MUT channel we have subsequently injected solutions of isopropanol in DI water of different concentrations, varying between 0% and 100% (pure isopropanol). The responses of the sensor for the different concentrations are depicted in Fig. 7, where the response corresponding to pure DI water in the MUT channel (indicated as REF) is also included. The measurements have been carried out by means of the *Agilent N5221A PNA* vector network analyser. It can be appreciated in the figure that the minimum of $|S_{12}|$ for the Ref case does not exactly coincide with the nominal resonance frequency of the OSRR (1.8 GHz). This slight variation is due to tolerances in the substrate parameters and geometrical variables. Therefore, we have considered as output variable $|S_{12}|$ at the frequency of the minimum for the symmetric loading (i.e., DI water in both channels). Such frequency has been found to be 1.77 GHz. The results are depicted in Fig. 8. From these data, we have obtained the calibration curve, also depicted in the figure. Such curve, with a correlation coefficient of $R^2 = 0.9987$, is

$$Fv(\%) = 184.942e^{\left(\frac{S_{21}(dB)}{5.687}\right)} + 81.618e^{\left(\frac{S_{21}(dB)}{45.449}\right)} - 34.793 \tag{13}$$

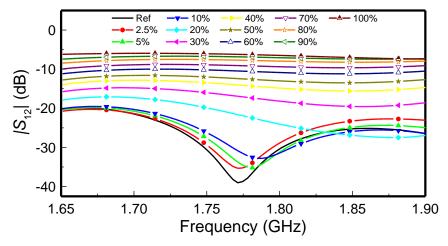


Fig. 7. Frequency response of the sensing structure for different concentrations of isopropanol in DI water injected in the MUT channel, and pure DI water injected in the REF channel.

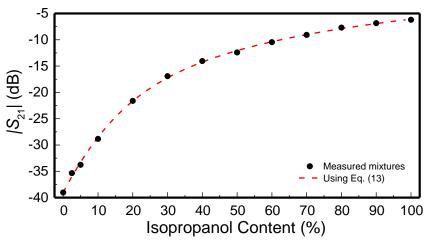


Fig. 8. Variation of the transmission coefficient measured at 1.77GHz with the isopropanol content, and calibration curve.

It is worth mentioning that the sensor is able to resolve isopropanol concentrations as small as 2.5%. Such volume fraction resolution is better than the one reported in most works where similar sensors were presented [11,36,40,43,50-55]. Exceptions are the sensors reported in [56] and [47], with resolutions as small as 0.005% and 1%, respectively. Nevertheless, it should be mentioned that in [56], the reported resolution corresponds to a frequency variation smaller than 1MHz (centered around 1.83 GHz), which seems to be difficult to discriminate in practice. The maximum sensor sensitivity, defined as the derivative of $|S_{12}|$ at 1.77 GHz with respect to the isopropanol concentration, is found to be 1.6 dB/%. Note that such maximum sensitivity (maximum derivative) occurs when the isopropanol content tends to zero, and then it progressively decreases. This maximum sensitivity is better than the one reported in [40] (0.7 dB/%) and [43] (0.62 dB/%), but it is worse than the one reported in [47] (11.52 dB/%). Thus, according to these data, the sensor reported in [47] is somehow superior in terms of sensitivity and resolution, as compared to the sensor of Fig. 6. In both cases, rat-race couplers are used in order to implement two-port differential sensors operating at a single frequency. In [47], the sensor operates in transmission, whereas in this work we have reported a reflective-mode sensor. This is the main advantage of this sensor, as compared to the one reported in [47]. Namely, by operating in reflection mode, the sensing structure of this paper uses only one rat-race hybrid coupler, whereas in the transmission-mode differential sensor of [47], two couplers are needed in order to obtain the differential transmission coefficient (the output variable) with a simple two-port measurement. Thus, by using a single coupler, the benefits of the proposed approach in terms of size are apparent. Thus, the proposed sensor combines good performance, relatively small electrical size, differential-mode operation (using OSRR sensing loads in reflection), and it is based on simple two-port measurements at a single frequency for sensing purposes. Table I summarizes the comparison of the sensor proposed in this work with other sensors devoted to the characterization of ethanol or isopropanol content in aqueous solutions. Concerning the sensitivity, note that it is given in dB/% units in those sensors based on amplitude variation (operating at a single frequency), and in MHz/% for the sensors based on frequency variation (in these sensors the operation frequency is also given).

Table I. Comparison of various sensors devoted to the determination of alcohol content in aqueous solutions.

Ref.	Sensitivity	MUT	Resolution	Trans/ref	Differential
[11]	4 MHz/% f = 2 GHz	Ethanol	10%	Transmission	No
[36]	2 MHz/% f = 0.87 GHz	Ethanol	10%	Transmission	Yes
[40]	0.7 dB/%	Ethanol	5%	Transmission	Yes
[43]	0.62 dB/%	Isopropanol	5%	Transmission	Yes
[47]	11.52 dB/%	Isopropanol	1%	Transmission	Yes
[50]	98 MHz/% $f = 17.9$ GHz	Ethanol	5%	Transmission	No
[51]	1.1 MHz/% f = 1.96 GHz	Ethanol	10%	Transmission	No
[52]	5.5 MHz/% f = 3.34 GHz	Ethanol	10%	Reflection	No
[53]	1.5 MHz/% f = 5.31 GHz	Ethanol	0.1%	Transmission	No
[54]	4.9 MHz/% f = 2.4 GHz	Ethanol	10%	Transmission	No
[55]	0.016 dB/% f = 0.95 GHz	Isopropanol	20%	Reflection	No
[56]	140 MHz/% f = 2.65 GHz	Ethanol	0.005%	Transmission	No
T.W.	1.6 dB/%	Isopropanol	2.5%	Reflection	Yes

VI. CONCLUSION

In conclusion, a reflective-mode differential sensor, useful for the characterization of liquid solutions, has been reported. The sensing loads are grounded OSRRs equipped with fluidic channels, where the reference (REF) liquid and the liquid under test (MUT) are injected. The working principle of the sensor is based on the difference between the reflection coefficients of both loads, generated when they are loaded with different samples (i.e., the REF and MUT liquids in the present study). For the first time, such difference is inferred by connecting the sensing loads to the coupled ports of a rat-race hybrid coupler and measuring the transmission coefficient between the Δ -port and the Σ -port. The resulting reflective-mode differential sensor is thus a two-port structure, and sensing requires only a two-port measurement at a single (operating) frequency. This frequency is dictated by the rat-race coupler and by the OSRR (loaded with the REF sample), which must be tuned to the same frequency. Based on a simplified circuit model of the OSRRs, we have made a sensitivity analysis, from which we have concluded that sensitivity optimization requires OSRRs with large inductance and small capacitance values. Then, this result of the analysis has been corroborated from numerical calculations using the complete circuit model of the sensing resonators. Finally, a sensor has been designed, fabricated and experimentally validated. Specifically, it has been applied to the characterization of solutions of isopropanol in DI water, the REF liquid. The results show that the proposed sensor exhibits good resolution (2.5% volume fraction) and sensitivity (with a maximum value of 1.6 dB/%). Moreover, the device uses a single hybrid coupler in order to obtain the differential reflection coefficient of the sensing loads (the output variable) from a simple two-port measurement. This is an important aspect with potential impact on sensor size, at least as compared to other differential sensor implementations based on transmissionmode two-port measurements, which require a pair of couplers.

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Bibliographies



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